



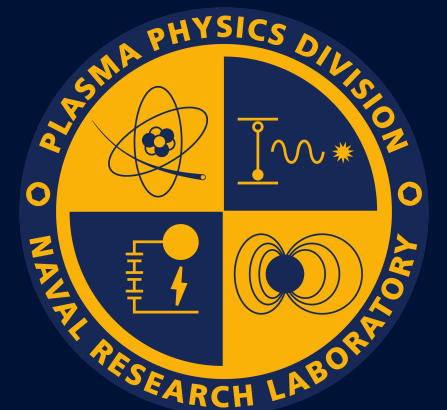
# Understanding Space Plasmas Through Laboratory Experiments

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Bringing Space Down to Earth Workshop, UCLA, Los Angeles

April 10 – 12, 2017



In collaboration with

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Bill Amatucci, NRL

- **Space-Time Ambiguity**

- Makes detection and characterization of a specific space plasma phenomenon tricky

- **Unsteady Plasma**

- When orbiting sensors return to the position of the original measurement the plasma has evolved
- Meaningful statistical ensemble through repeated measurements not possible

- **Multiple Uncontrolled Variables**

- Usually there are many variables and multiple forces operating simultaneously
- Difficult to pinpoint the causality of events and isolate a specific phenomenon for precise measurements for unambiguous characterization

- **Mitigation: Scaled Laboratory Experiments**

- Controlled environment scaled to the appropriate space conditions
  - Anchor theory using laboratory experiments and then apply the validated model to space conditions
  - Compare laboratory experiments to space data

# Space Plasma Processes Optimal for Laboratory Experiments

- **Turbulence**

- Understand turbulence properties in the meso and micro scales
- Kinetic effects
- Turbulence pervades most plasma domains
  - Astrophysics, hemisphere, magnetosphere, ionosphere, tokamaks, etc.
  - Fundamental yet practical

- **Spatial Variability**

- Understand the cause and effects of spatial variability in the background parameters
- Many space plasma phenomena associated with strong spatial inhomogeneities

- **Multi-Ion-Species Effects**

- Most space plasmas are multispecies

- **Astrophysical Plasma Processes**

# Small Scale Turbulence Properties: Electrostatic or Electromagnetic?

# Electrostatic $\rightleftharpoons$ Electromagnetic: Dispersive Properties of Whistler Branch Waves

- Cold plasma dispersion relation for the whistler branch waves in  $(\Omega_i < \omega < \Omega_e)$  frequency range

$$\omega^2 = \left( \frac{\bar{k}_z^2}{(1 + \bar{k}_y^2)} + \mu \right) \frac{\bar{k}^2 \Omega_e^2}{1 + \bar{k}^2}$$

$$\mu = m_e / m_i$$

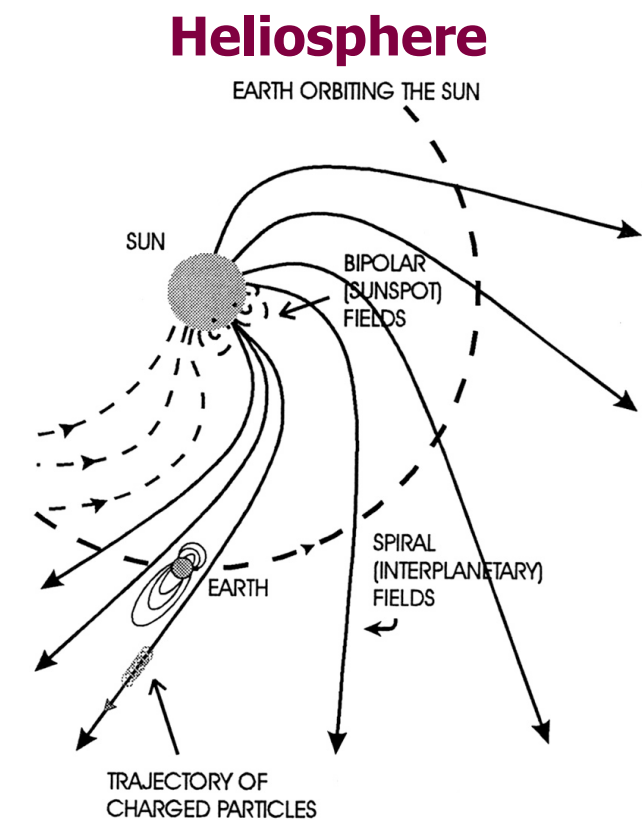
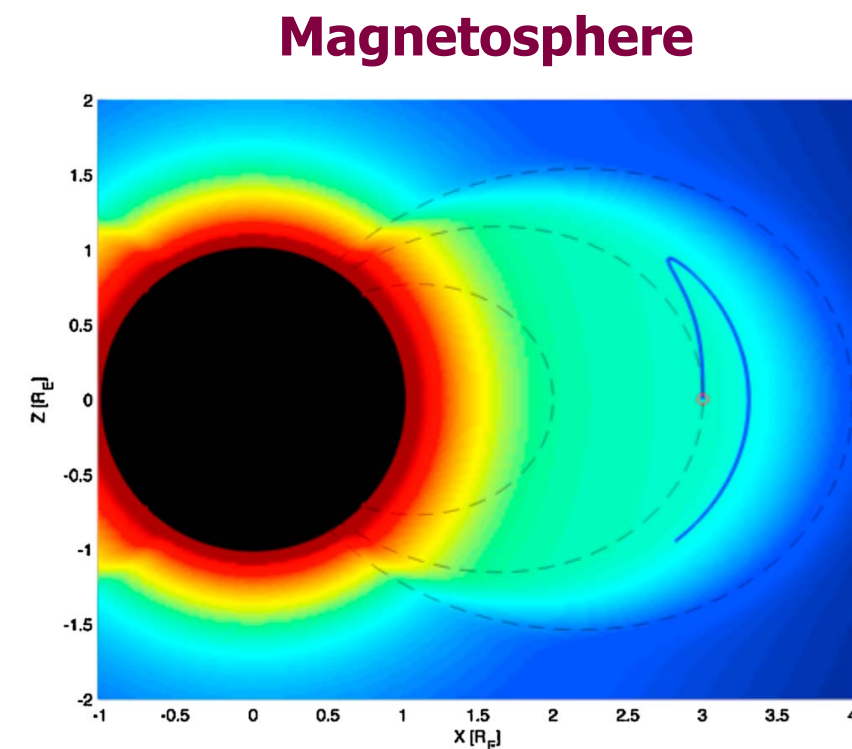
$$\bar{k} = kc / \omega_{pe}$$

$$E_x = -ik_x \phi \left( 1 + \frac{\bar{k}_z^2}{\bar{k}_\perp^2} \right) \quad E_y = E_x \frac{i\omega}{\Omega_e \bar{k}^2} \quad E_z = -ik_z \phi \left( \frac{\bar{k}^2}{1 + \bar{k}^2} \right)$$

$O(1)$ 
 $0$ 
 $O(1)$

– Electrostatic if  $\bar{k} \gg 1$  and  $\bar{k}_\perp \gg \bar{k}_z$

- EM Whistlers  $\bar{k}_y^2 < 1 \quad \bar{k}_z^2 > \mu$
- ES Whistlers  $\bar{k}_y^2 > 1 \quad 1 > k_z^2 / k_y^2 > \mu$
- ES Lower Hybrid  $\bar{k}_y^2 > 1 \quad k_z^2 / k_y^2 < \mu$
- EM Magnetosonic  $\bar{k}_y^2 < 1 \quad \bar{k}_z^2 < \mu$



$$D(\omega, k, n(r), B(r)) = 0$$

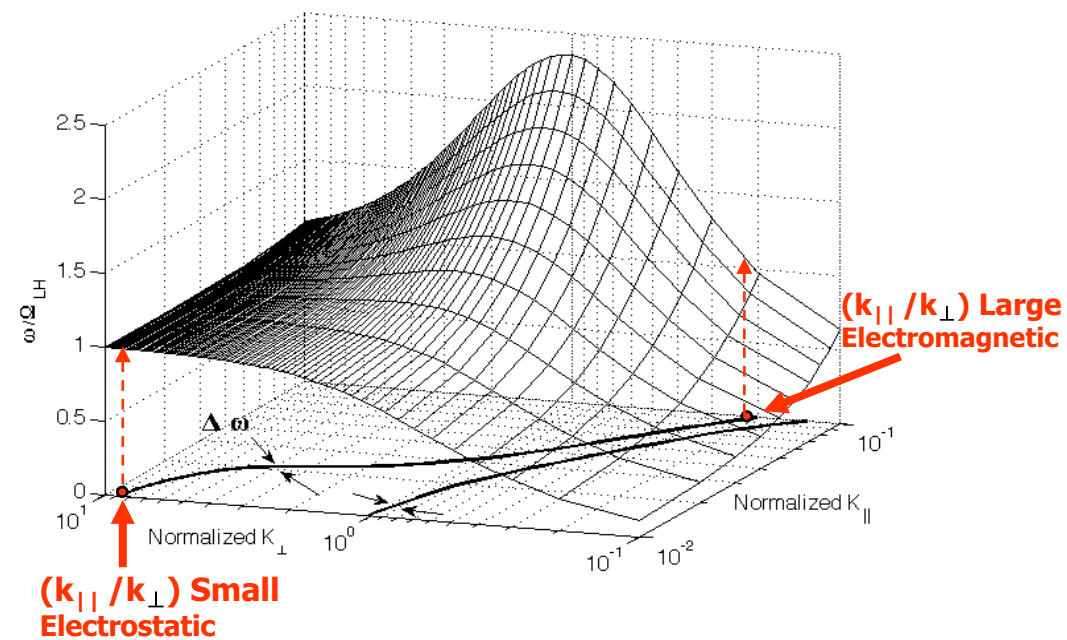
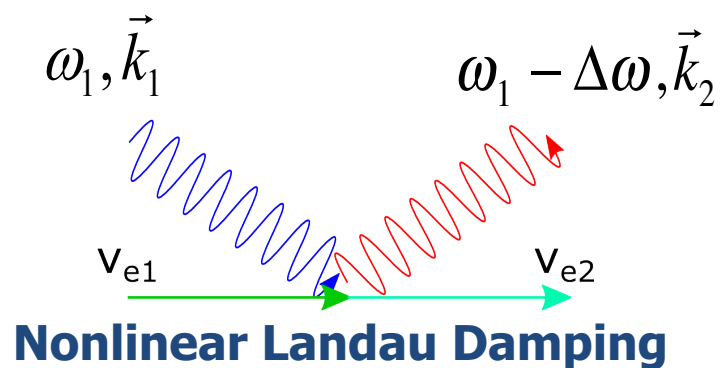
[Ganguli et al., *PoP*, 2010]

- Scattering rate by thermal electrons in EM limit
  - Generalize Hasegawa and Chen 1976

$$\gamma_{NL} \sim \frac{\Omega_e^2}{\omega_{k2}} \frac{\bar{k}_{2\perp}^2}{1 + \bar{k}_{2\perp}^2} \sum_{k1} \frac{(\bar{k}_1 \times \bar{k}_2)_z^2}{k_{1\perp}^2 k_{2\perp}^2} \frac{1}{1 + (\Delta\omega / \Delta\bar{k}_\perp c_s)^2} \frac{\bar{k}_{1\perp}^2}{1 + \bar{k}_{1\perp}^2} \zeta \text{Im} Z(\zeta) \frac{W_{k1}}{n_0 T_e}$$

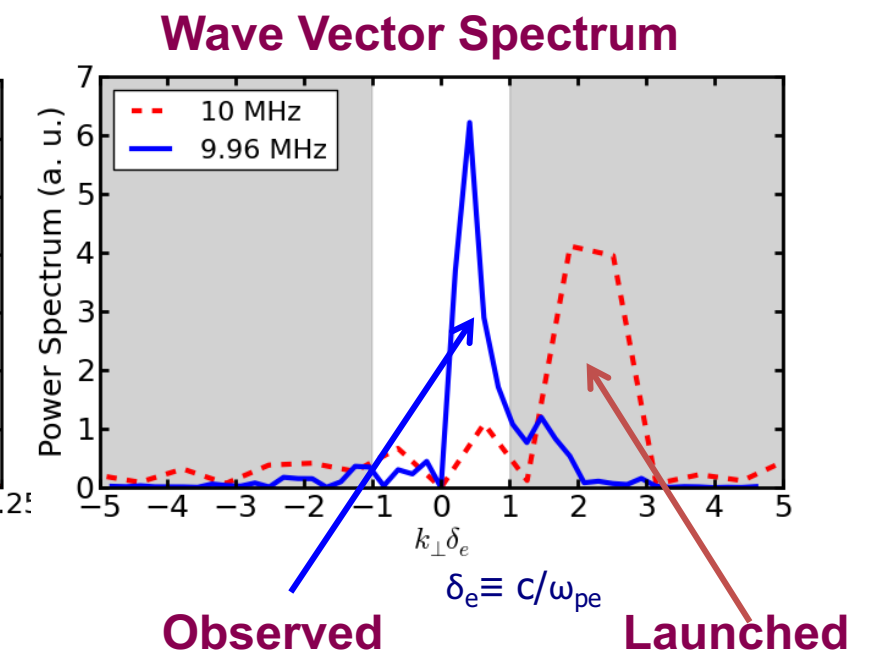
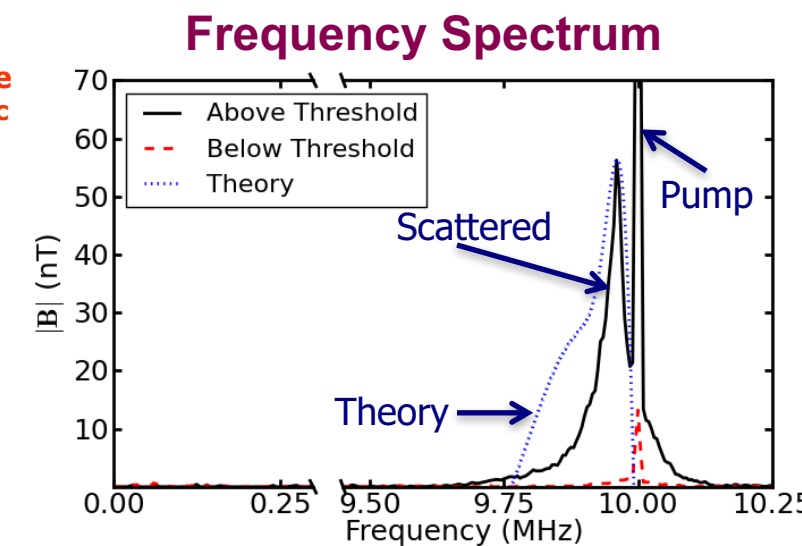
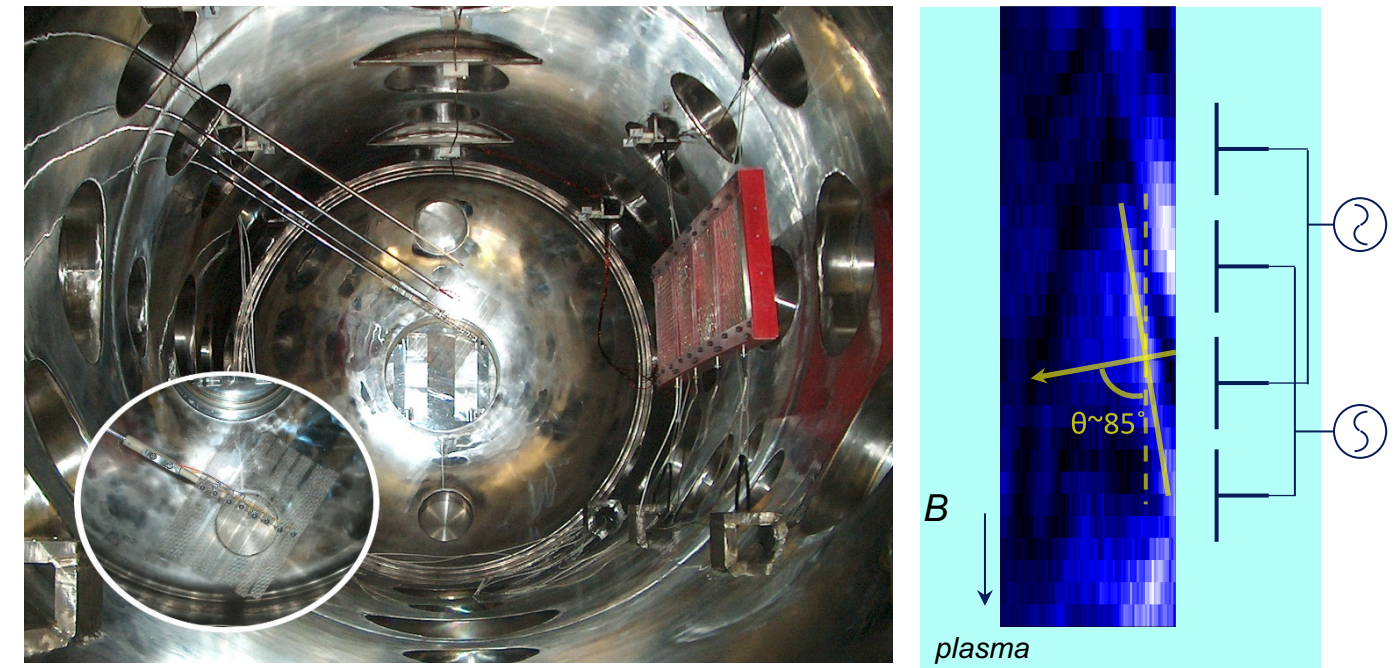
$$\zeta = (\omega_1 - \omega_2) / (k_{1\parallel} - k_{2\parallel}) v_{te}$$

$$\omega^2 = \left( \frac{\bar{k}_z^2}{(1 + \bar{k}_y^2)} + \mu \right) \frac{\bar{k}^2 \Omega_e^2}{1 + \bar{k}^2}$$



- Wave-particle resonance can be easily met for any combinations of  $(k_{\parallel}, k_{\perp})$  with  $\omega \sim$  constant

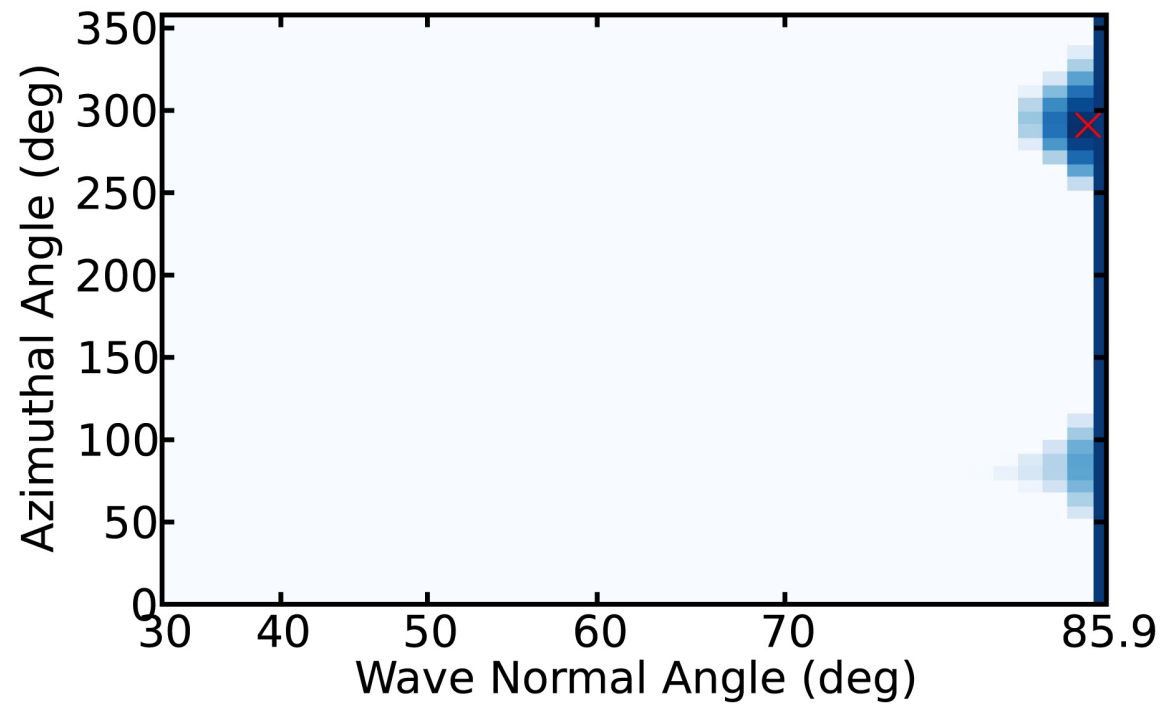
## NRL Space Chamber Validation



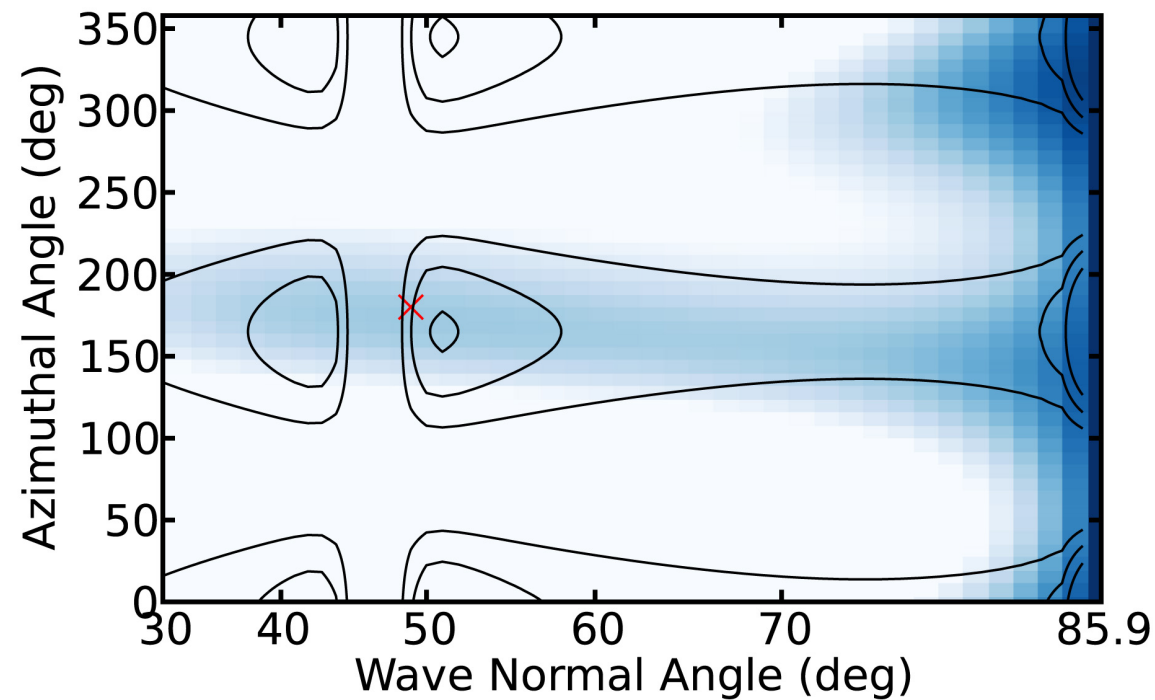
[Tejero et al., *Nature Scientific Reports*, 2015]

# Evidence of Nonlinear Conversion by Scattering in Lightning Generated Whistlers

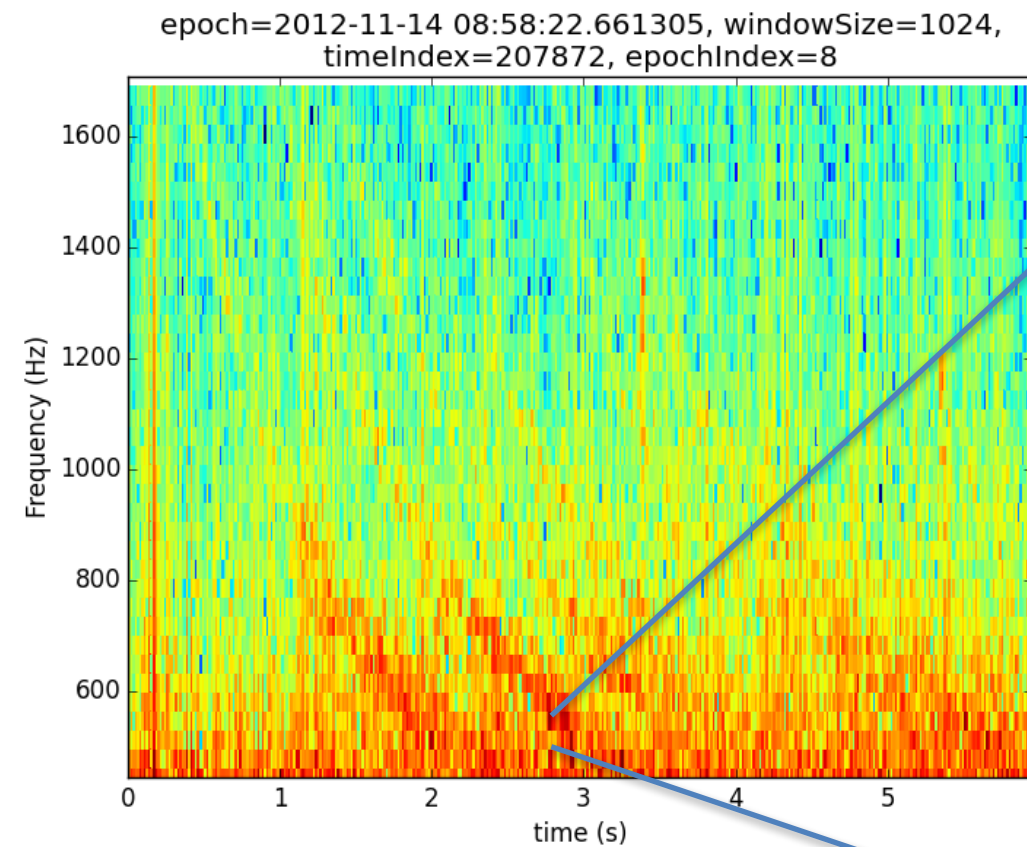
10 MHz – Lab Pump Wave



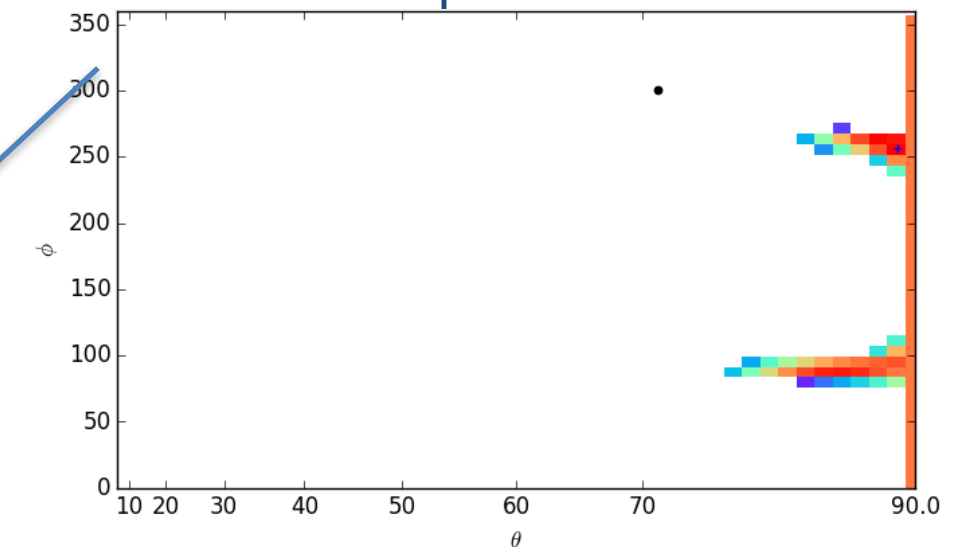
9.96 MHz – Lab Scattered Wave



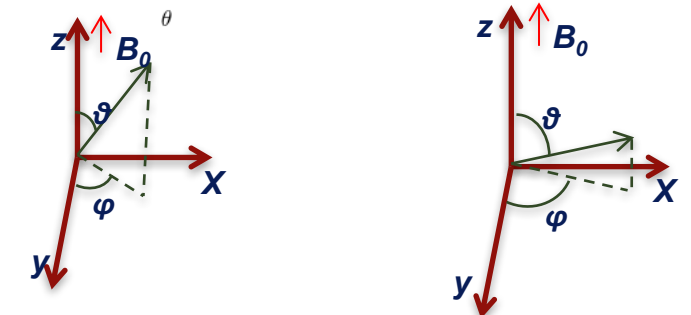
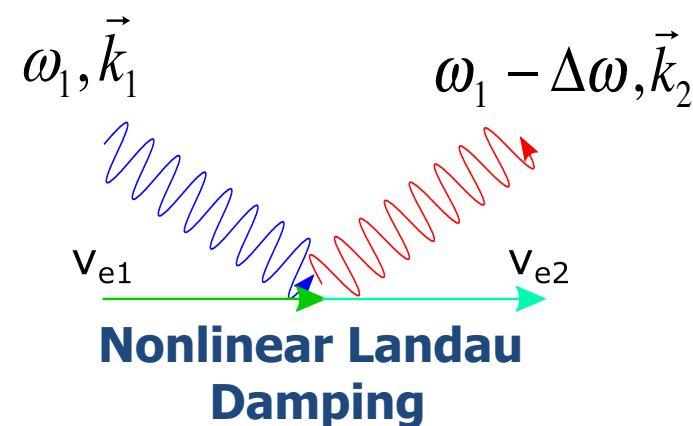
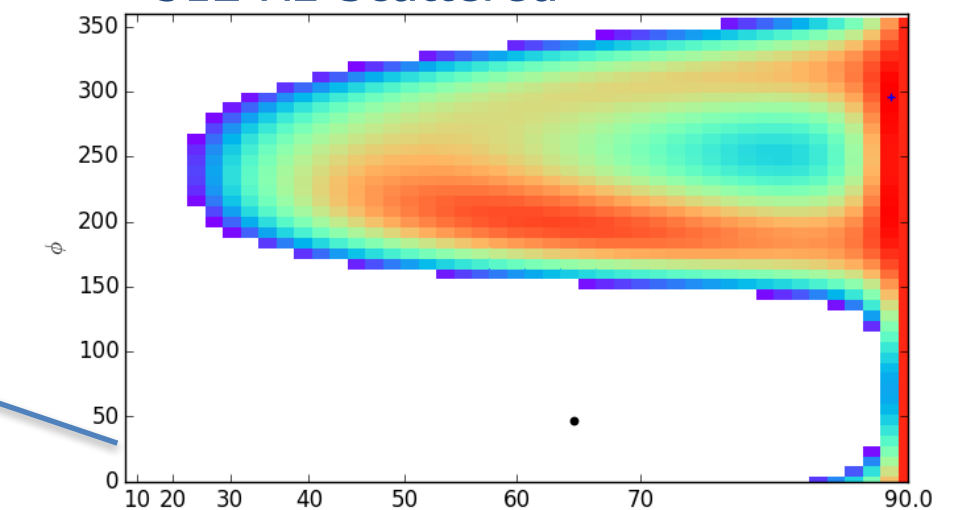
Van Allen Probe Data



547 Hz-Pump



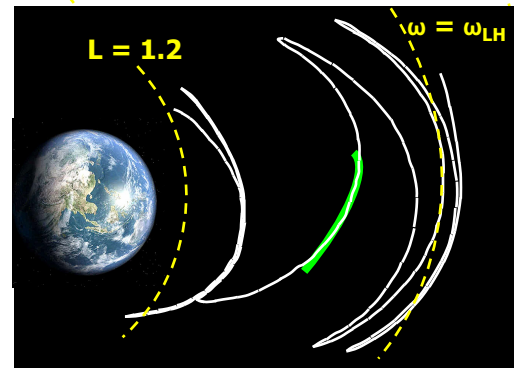
512 Hz-Scattered



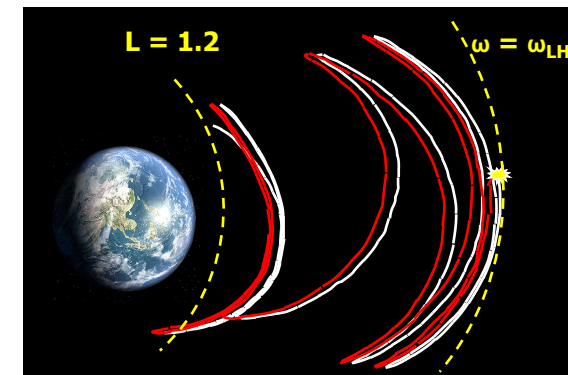


# Changing Turbulence Character Critical in the Radiation Belt

Fate of lightning generated whistlers in the ionosphere



Standard Quasi-linear Picture



Weak Turbulence Picture

- Increasing  $k_{\perp} \Rightarrow$  enhanced dissipation ( $\sim k_{\perp}^2$ )
- Wave dissipates as  $k_{\perp} c / \omega_{pe} > 1$
- $\tau_{int} \sim \tau_{prop}$ , during which  $k_{\perp} c / \omega_{pe} < 1$

- Increasing  $k_{\perp} \Rightarrow$  enhanced NL scattering ( $\sim W k_{\perp}^6$ )
- $k_{\perp} c / \omega_{pe} < 1$  maintained by NL scattering
- $\tau_{int} \sim \tau_{turb} \gg \tau_{prop}$ , NL scatter keeps  $k_{\perp} c / \omega_{pe} < 1$

Cyclotron resonance time ( $\tau_{int}$ ) given by  $(\omega - k_{||} V_{||} - n\Omega_e(r)) \approx 0$

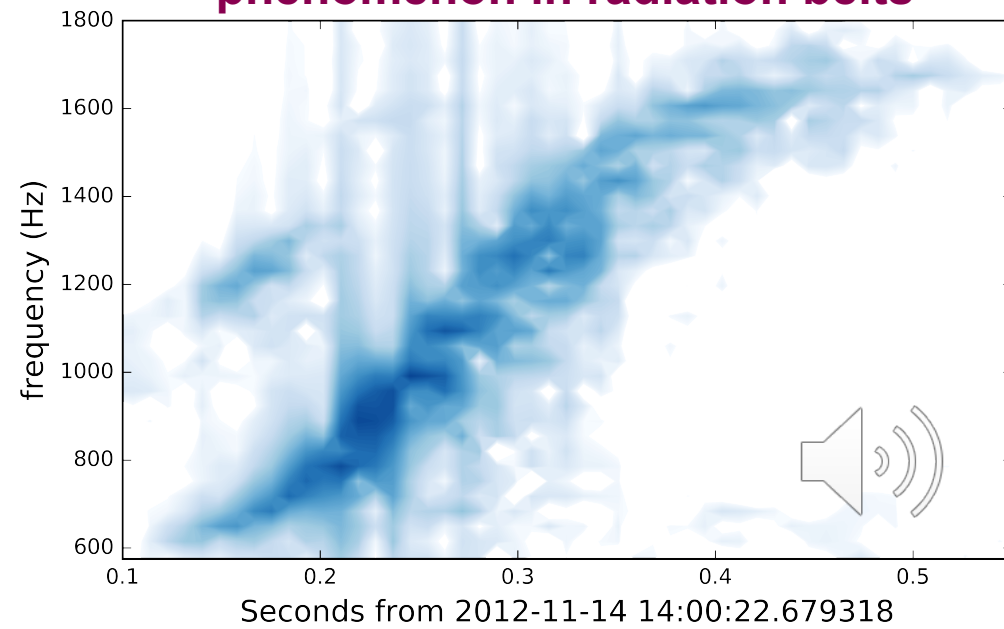
[Ganguli et al., *GRL*, 2012; Crabtree et al., *PoP*, 2012]

# Small Scale Turbulence Properties: Coherent or Incoherent?

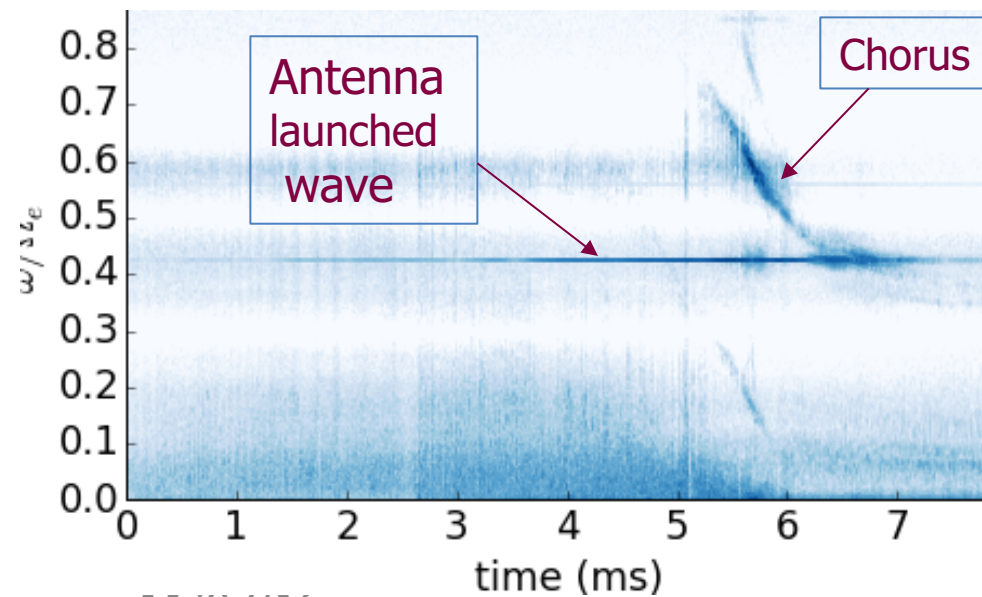
# Signature of Weak Turbulence Processes in Radiation Belts

- Analysis of in-situ data from NASA/Van Allen Probes

Van Allen Probe data of chorus phenomenon in radiation belts

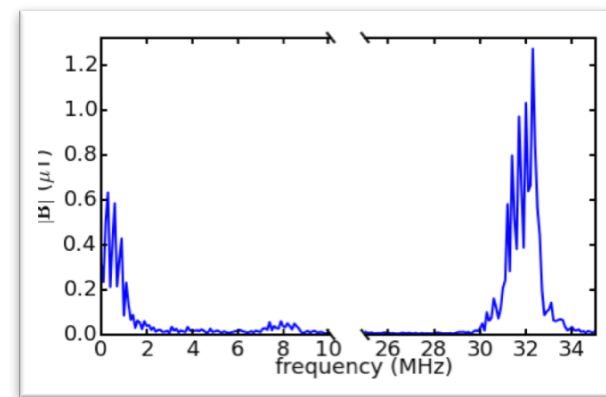
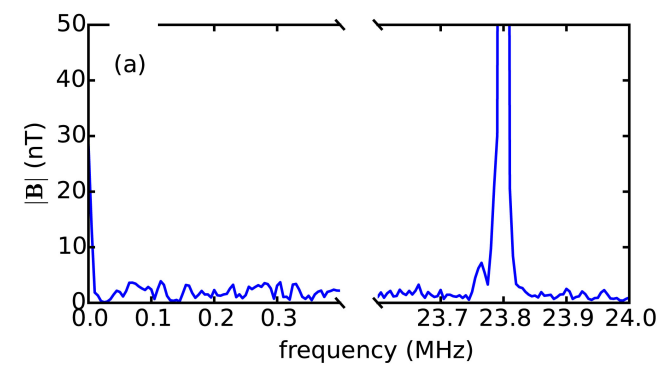
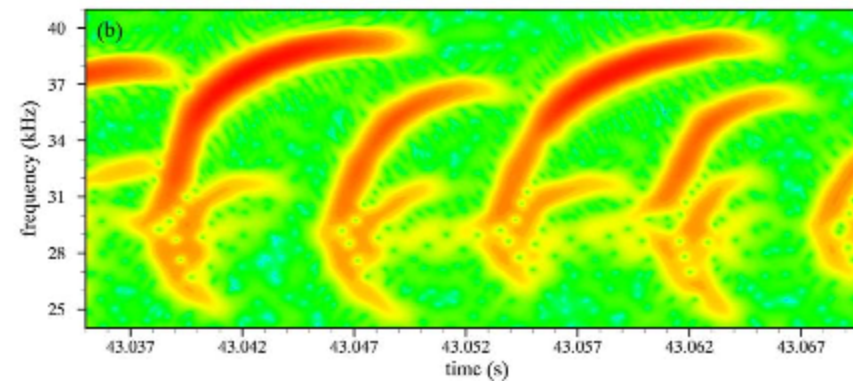


Space Chamber Recreation



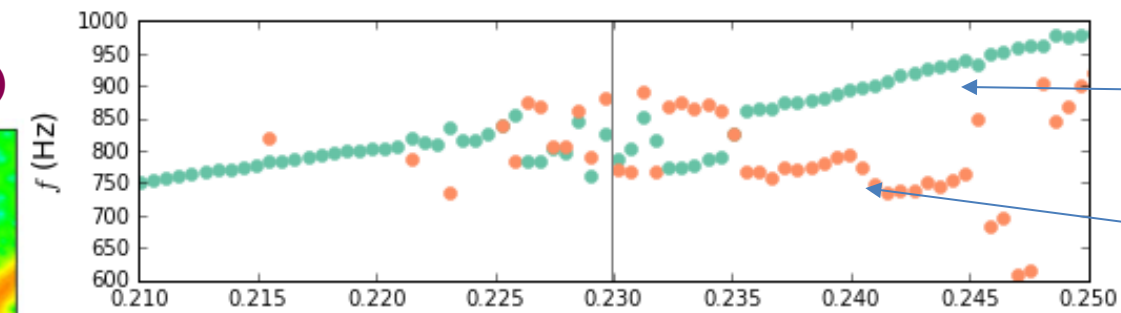
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Chirping in Joint European Tokamak (JET)



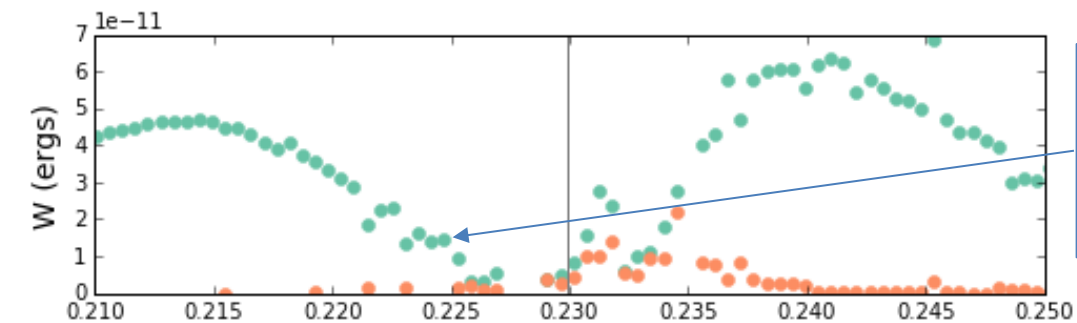
Evidence of nonlinear W-W and W-P scatterings in laboratory data

Bayesian analysis of Van Allen Probe data

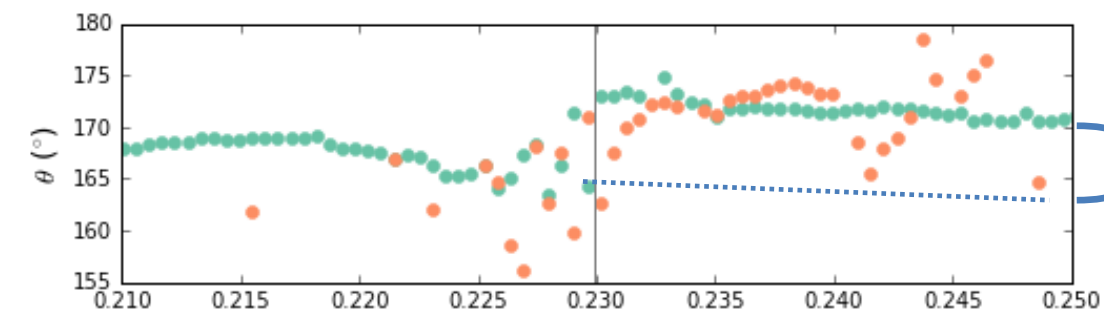


Main Chirping Wave

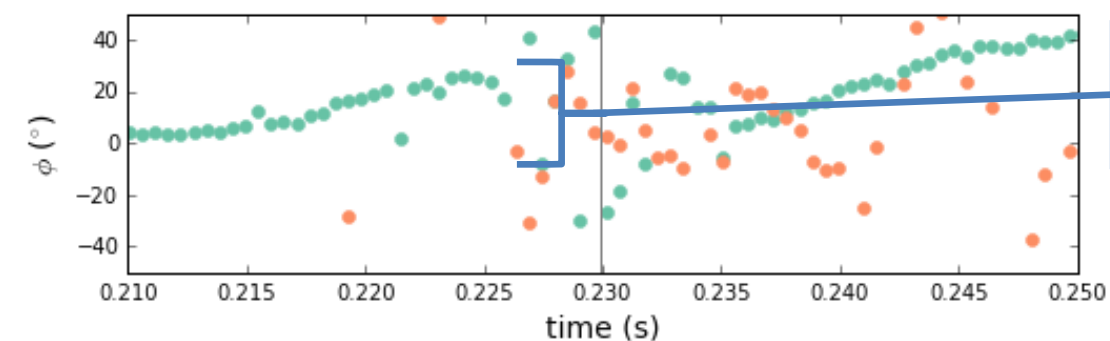
Scattered Wave



Main wave loses energy while to secondary wave: Predator Prey



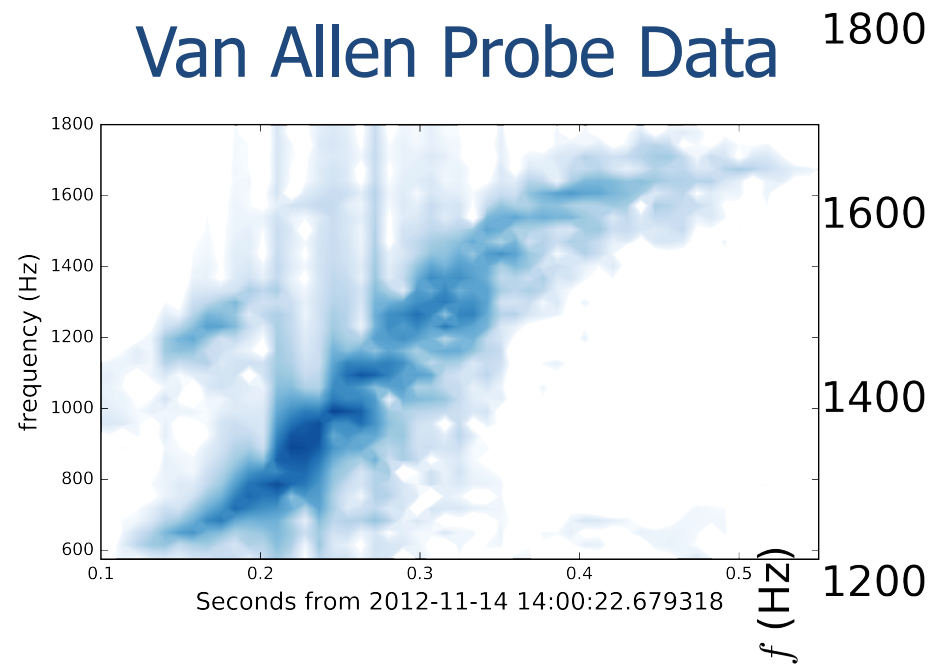
Wave changes wave-normal angle by 17°



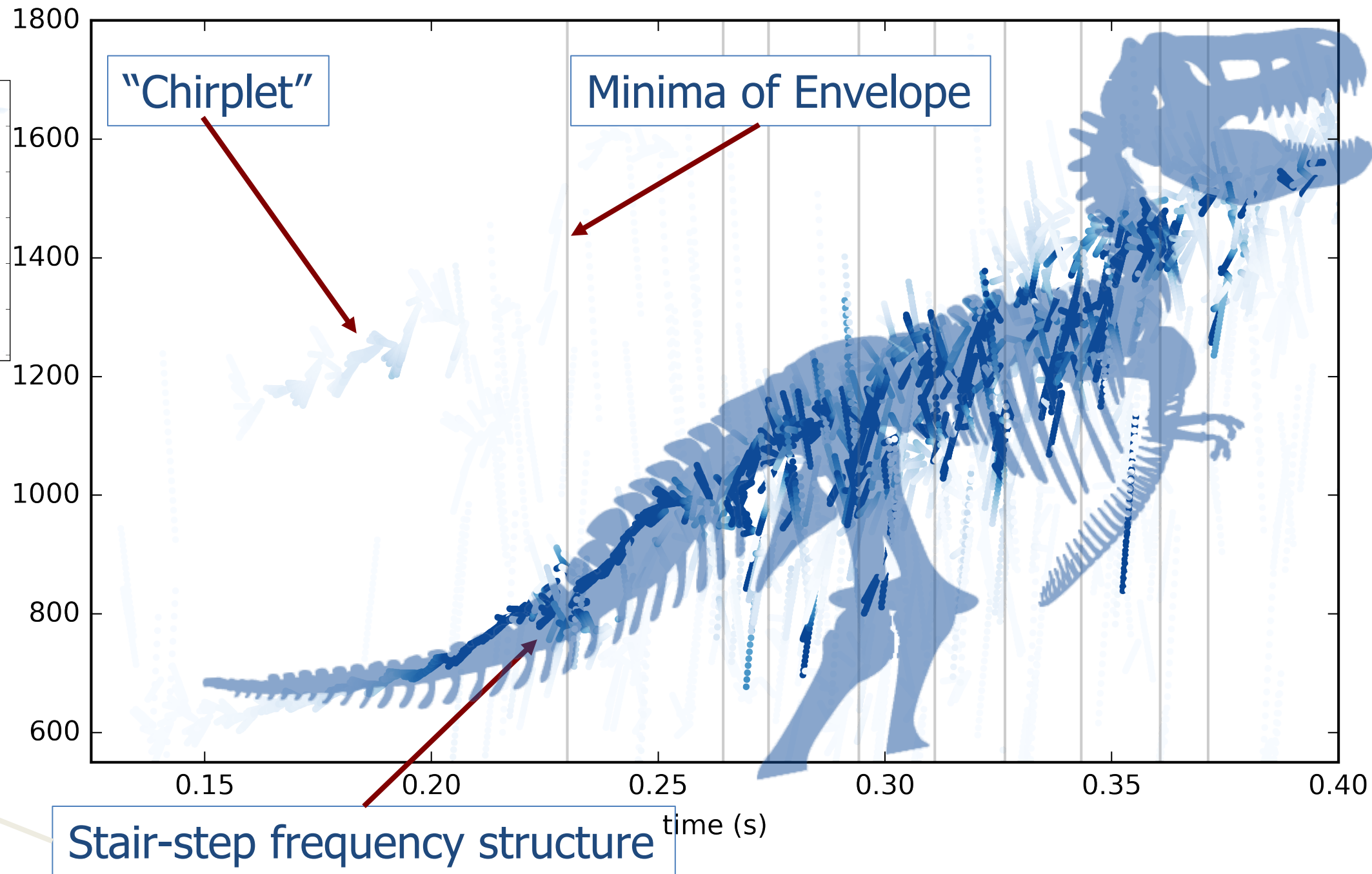
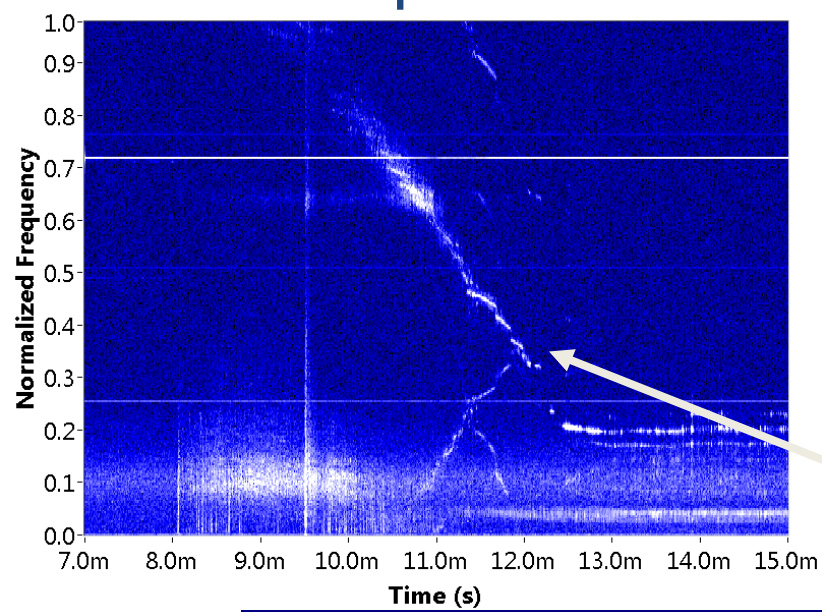
Wave changes azimuthal angle by 50°

Crabtree et al., *JGR*, 2017 (in press)

Van Allen Probe Data



NRL Experiment



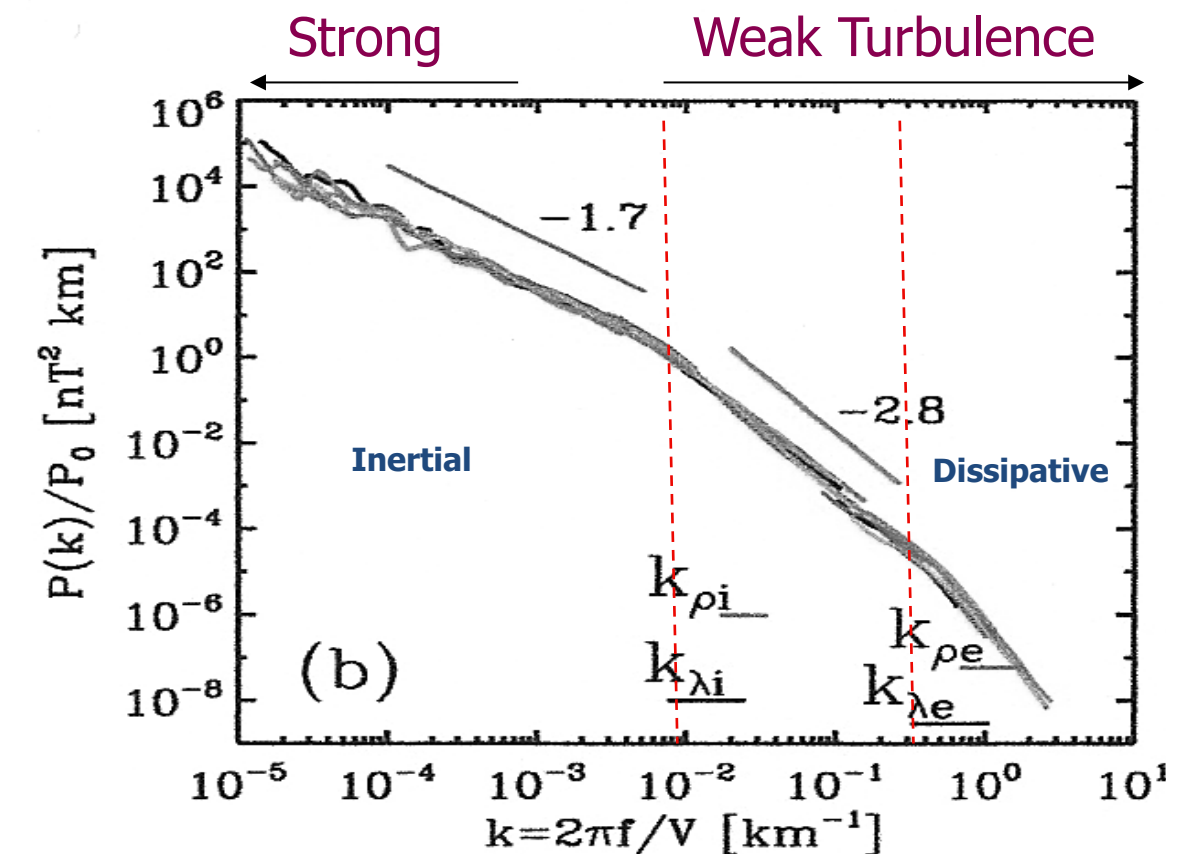
- Intensity corresponds to wave energy density
- Instantaneous frequency is plotted over time window
- Growth rate is used to adjust wave energy density over time window
- Color saturates at  $10^{-11}$  ergs

**Chorus may consist of coherent & incoherent processes, multiple waves with 3D propagation**

# Small Scale Turbulence Properties: Strong or Weak Turbulence?

# MHD (Strong) $\rightleftharpoons$ Kinetic (Weak): Heliospheric Plasmas

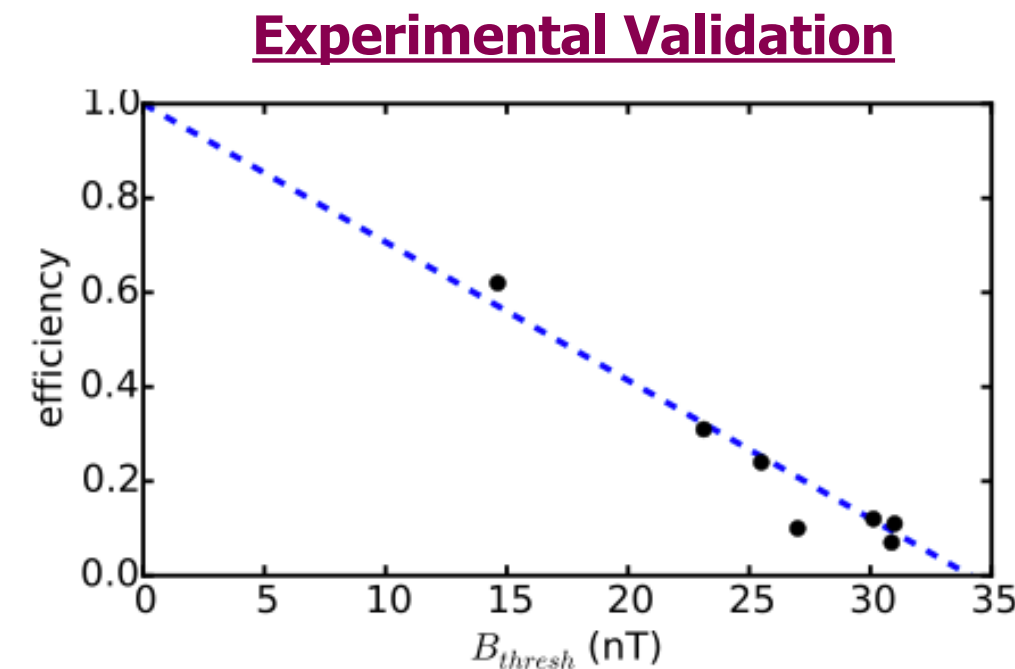
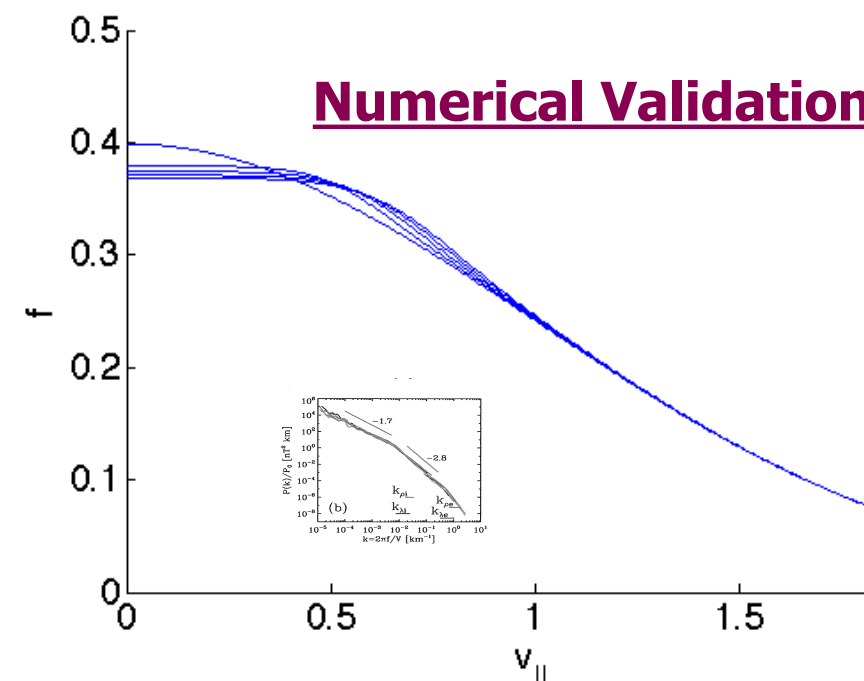
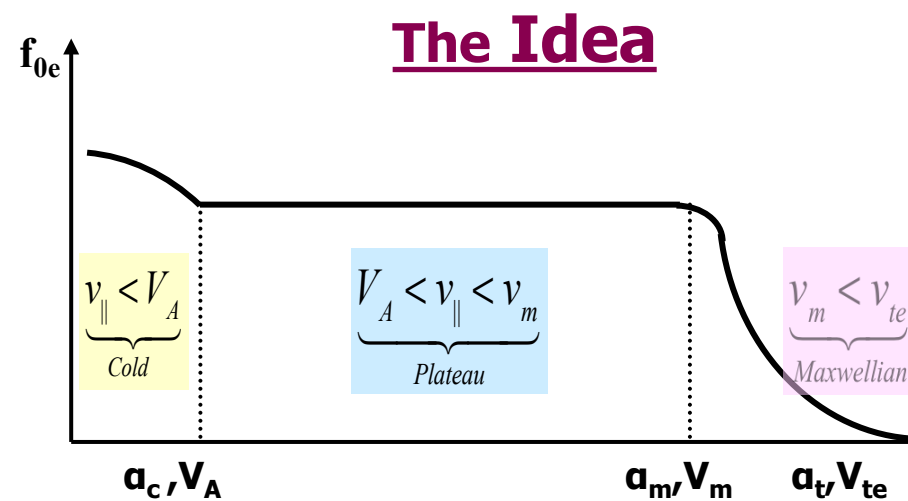
- Observation in solar wind
  - Turbulence energy spectrum non-Kolmogorov
  - Appearance of spectral steepening at  $k\rho_i \sim 1$
- Ongoing debate:
  - Origin of spectral steepening for shorter wavelengths
- Common belief:
  - Spectral evolution dominated by Landau damping
  - Strong turbulence prevails at all scale sizes
- No good reason to reject weak turbulence for  $k\rho_i \geq 1$  in collisionless SW if Landau damping is negligible compared to NL rates



From Alexandrova et al. *PRL*, 2009, Cluster data

- Can Solar Wind Maintain Sufficiently Small  $df_{0e}/dv_{||}$  to Ignore Landau Damping?

- Stable distributions can Landau damp waves and create plateau
- In SW Coulomb collision time and free path are long ( $\sim 10^5$  sec,  $\sim 1$  AU)
  - Can not thermalize within SW transit time
- Evolution of distribution function given by quasi-linear equation



**Efficiency**

$$\frac{W_{scattered}}{W_{pump}} = \frac{\omega - \Delta\omega}{\omega}$$

**Turbulence Onset**

$$\gamma_{NL} \geq \gamma_L$$

$$\frac{\partial W_{k_1}}{\partial t} = \underbrace{2\gamma_L W_{k_1}}_{\text{Linear Processes}} - \underbrace{\gamma_{NL}(W_{k_1})W_{k_2}}_{\text{Nonlinear scattering EM} \leftrightarrow \text{ES conversion}} - \underbrace{\frac{1}{L} \frac{\partial \omega}{\partial k_1} W_{k_1}}_{\text{Propagation}}$$

- Electron density redistributed in 3 components: Cold, Plateau and Maxwellian; in fractions  $\alpha_c$ ,  $\alpha_m$ ,  $\alpha_t$

[Rudakov et al., *PoP*, 2011, 2012]

[Tejero et al., *PoP*, 2016]

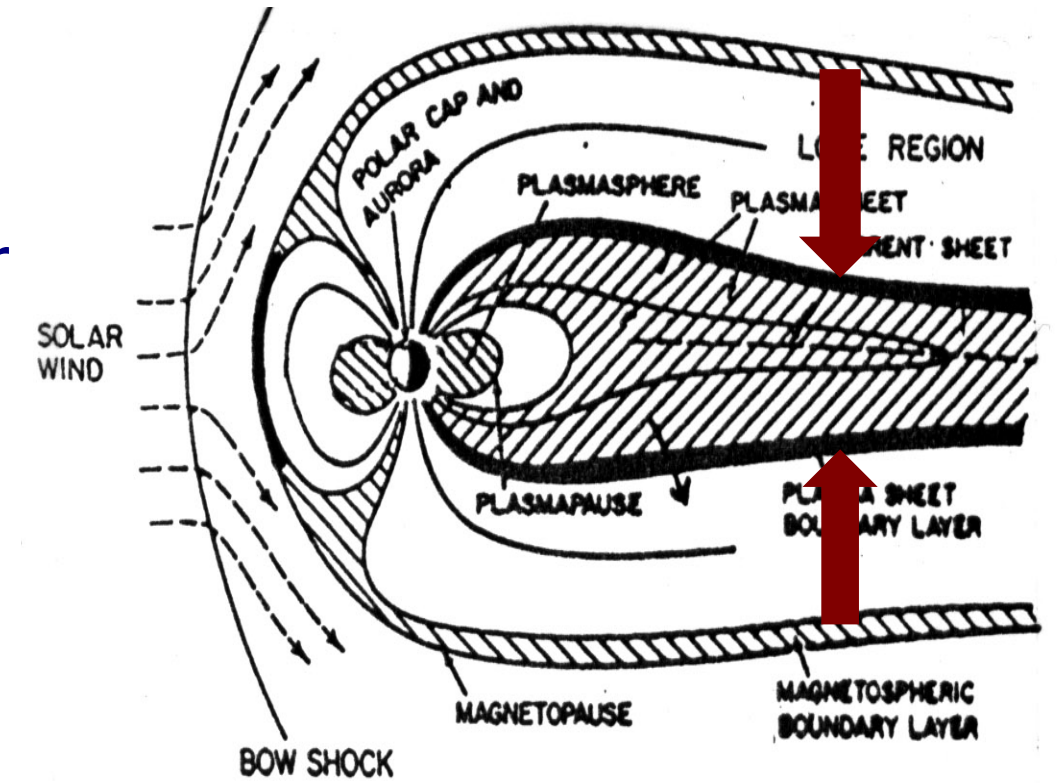
# Effects of Spatial Variability



# Origin of Strong of Spatial Variability in Near-Earth Space

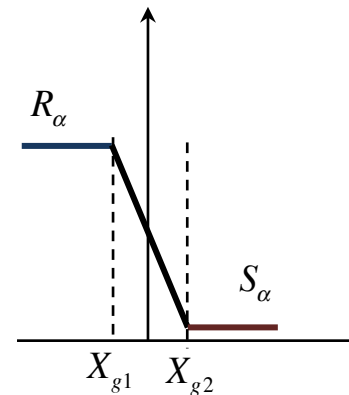
- Plasma compression leads to strong spatial gradients, e.g.,
  - Boundary layers, dipolarization fronts, reconnection region, etc.
  - Scale sizes can become comparable to an ion gyro-radius or smaller
  - Kinetic treatment becomes necessary
- Use constants of motion to construct a distribution function

$$H_\alpha = mv^2 / 2 + e\Phi(x), \quad X_g = x + v_y / \Omega \quad f_{0\alpha}(X_g, H_\alpha(x)) = \frac{N_\alpha}{(\pi v_{t\alpha}^2)^2} Q_\alpha(X_g) e^{-\frac{H_\alpha(x)}{kT_\alpha}},$$



- Guiding center distribution

$$Q_\alpha(X_g) = \begin{cases} R_\alpha & , X_g < X_{g1} \\ R_\alpha + (S_\alpha - R_\alpha) \left( \frac{X_g - X_{g1}}{X_{g2} - X_{g1}} \right) & , X_{g1} < X_g < X_{g2} \\ S_\alpha & , X_g > X_{g2} \end{cases}$$

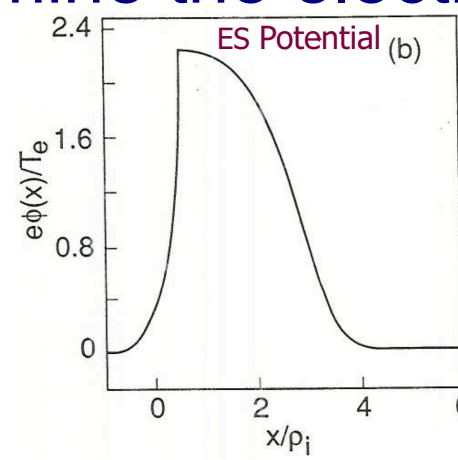
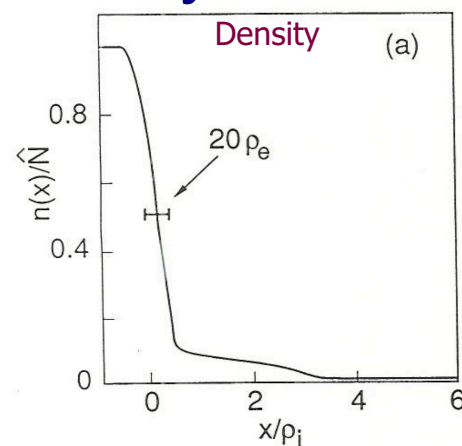


- Obtain density

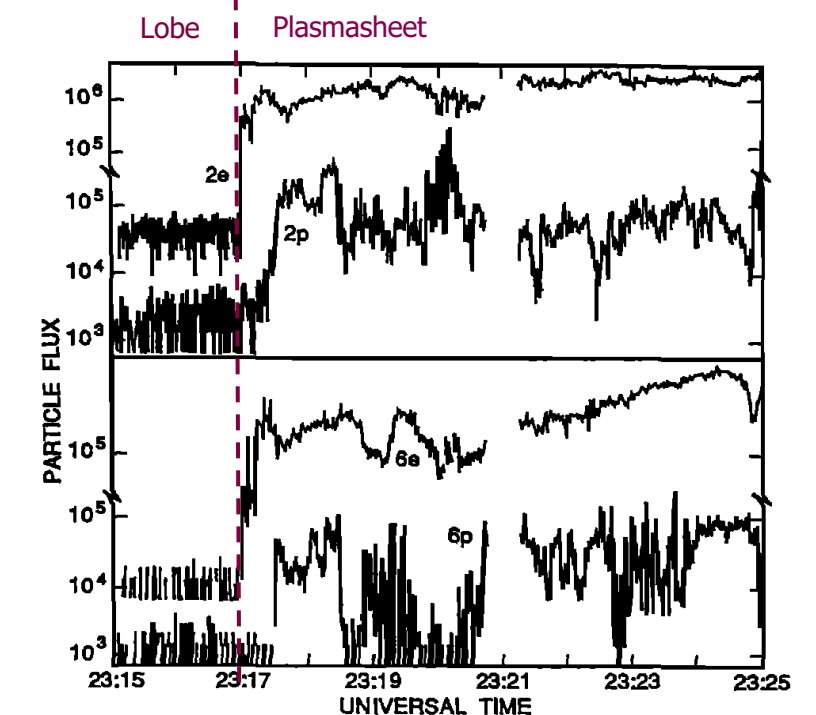
$$\int f_{0\alpha}(v, \Phi(x)) dv = n_{0\alpha}(\Phi(x))$$

- Use quasi-neutrality to determine the electrostatic potential

$$\sum_\alpha n_{0\alpha}(\Phi(x)) = 0$$



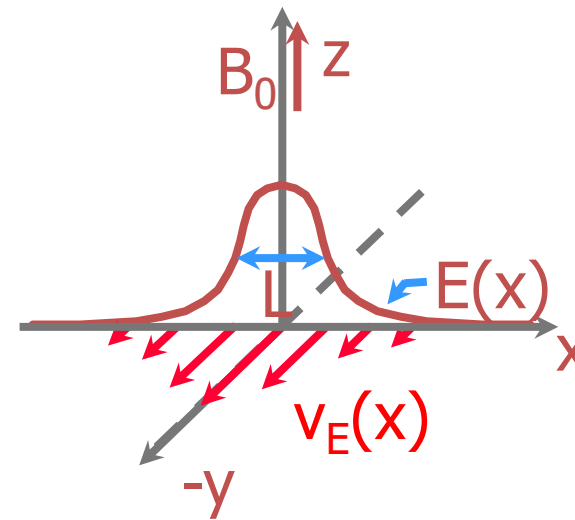
[Romero et al., *GRL*, 1990]



NASA/ISEE-1 data: Courtesy, George Parks

- Affects zeroth-order plasma dynamics
  - Particle orbits in a magnetized plasma are affected
  - Particles can move across magnetic field lines

$$\Omega \rightarrow \underbrace{\sqrt{\eta(\xi)}\Omega}_{\text{Renormalized Gyro-frequency}}, \quad \eta(x) = 1 + \frac{1}{\Omega} \frac{dV_E(x)}{dx}$$



**Kelvin-Helmholtz**  $(\omega - k_y V_E) \ll \Omega_i, k_y \rho_i < 1$

$$\left( \frac{d^2}{dx^2} - k_y^2 + \frac{k_y V_E''}{\omega - k_y V_E} \right) \phi_1(x) = 0$$

$$\frac{\partial}{\partial t} \int dx \left[ \underbrace{\frac{|E_1|^2}{8\pi} + \frac{n_{0i} m_i |cE_1|^2}{2 B_0^2}}_{\text{Wave Energy}} + \underbrace{\frac{n_{0i} m_i}{2} |x_1|^2 V_E(x) V_E''(x)}_{\text{Energy Extracted From } E_0 \times B_0 \text{ Drift}} \right] = 0$$

$$\underbrace{V_E^2(x)}_{\text{No Waves}} - \underbrace{\langle V_E(x + x_1) \rangle^2}_{\text{With Waves}} = -|x_1|^2 V_E(x) V_E''(x) + O(1/L^3)$$

- Unique plasma distributions are created
  - Temperature anisotropy in x and y directions possible

$$f_0(\xi, H) \approx \frac{n_0}{\sqrt{\eta(\xi)}} \left( \frac{\beta}{2\pi} \right)^{3/2} e^{-\overbrace{(\beta/2)(v_x^2 + \eta(\xi)(v_y - \langle v_y \rangle)^2)}^{T_x \neq T_y}} e^{-(\beta/2)v_z^2}$$

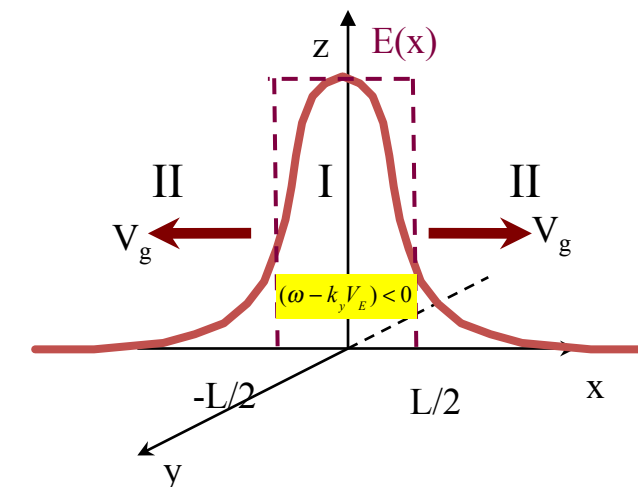
- where

$$\xi = x + (v_y - V_E(\xi)), \quad \beta = 1/v_{th}^2$$

[Ganguli et al., *Phys Fluids*. 1988]

$$V_E(\xi) = -cE(\xi) / B_0,$$

**IEDDI**  $(\omega - k_y V_E) \sim n\Omega_i, k_y \rho_i \geq 1$

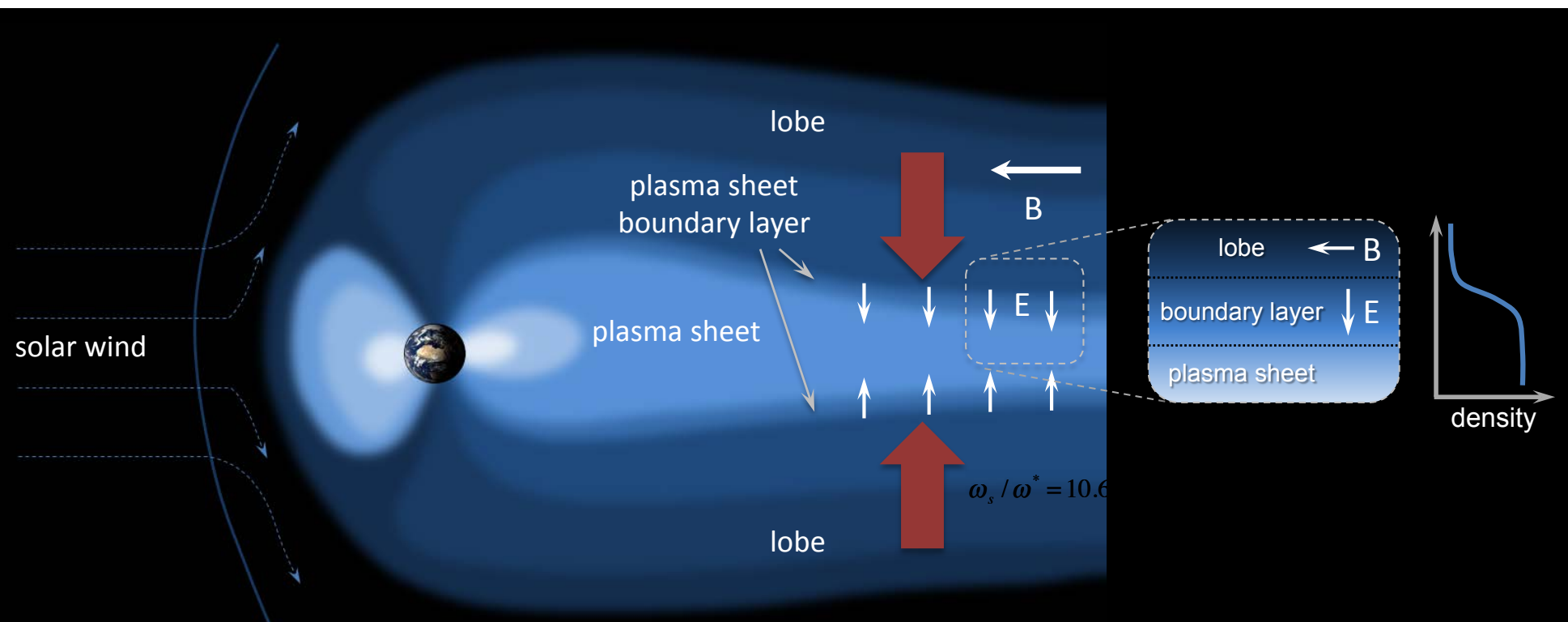


$$U \equiv \frac{\partial \omega D}{\partial \omega} \propto \omega \underbrace{(\omega - k_y V_E)}_{\text{Doppler-Shifted Frequency}}$$

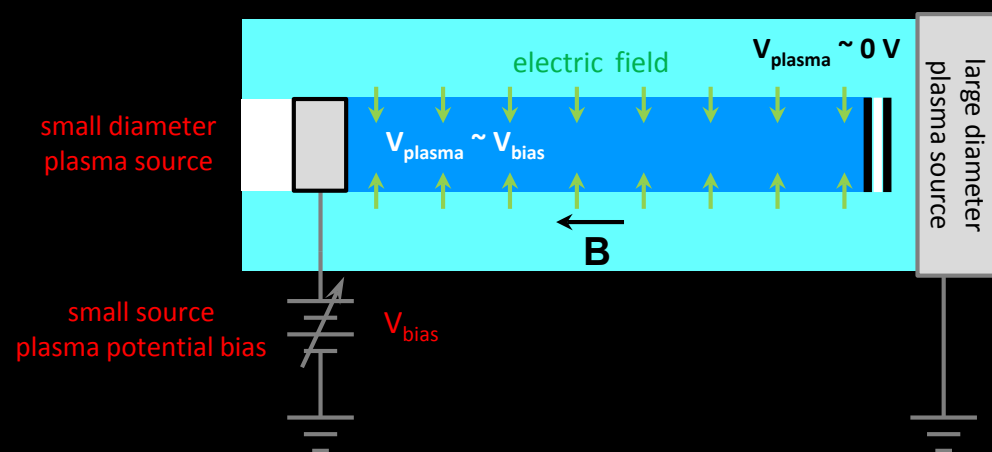
$$\underbrace{\gamma U_I L A_{y,z}}_{\text{Energy Creation in Region-I}} = - \underbrace{V_g U_{II} A_{y,z}}_{\text{Energy Convection From Region-I}}$$

[Ganguli, *PoP*, 1997]

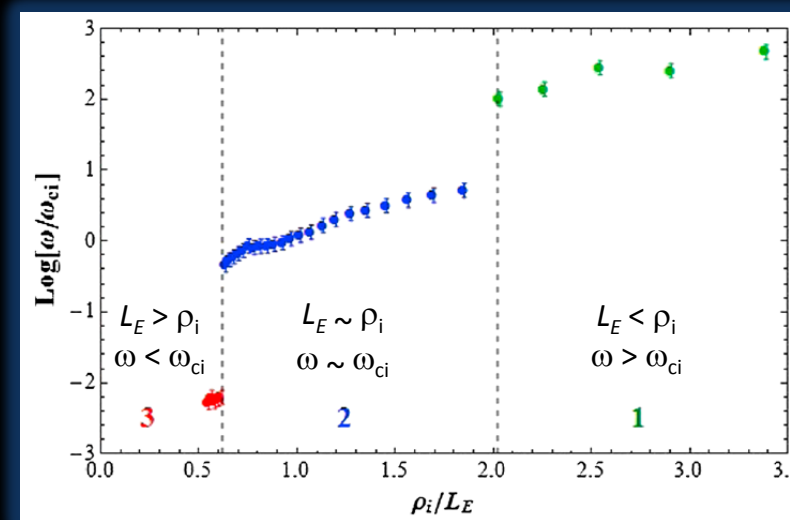
$$\gamma \propto -(U_{II} / U_I)$$



Compression of the magnetosphere creates north-south dc electric field localized in the plasma sheet boundary layer



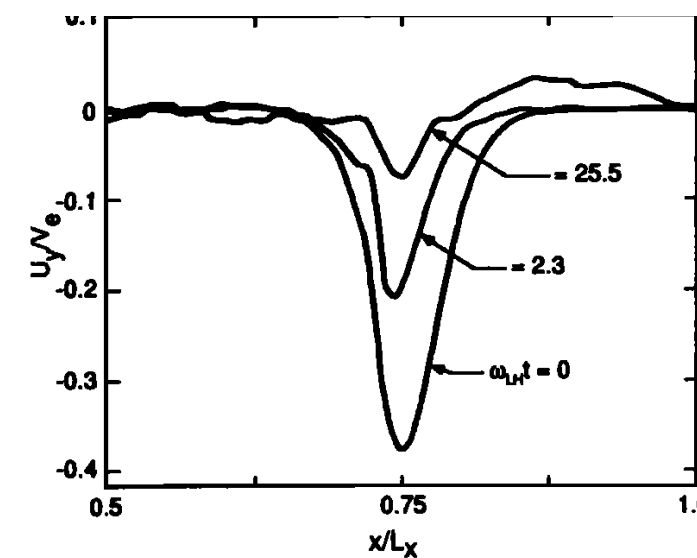
Laboratory simulation of the stressed boundary layer with localized radial electric field and axial magnetic field by inter penetrating plasma indicates emission of BEN



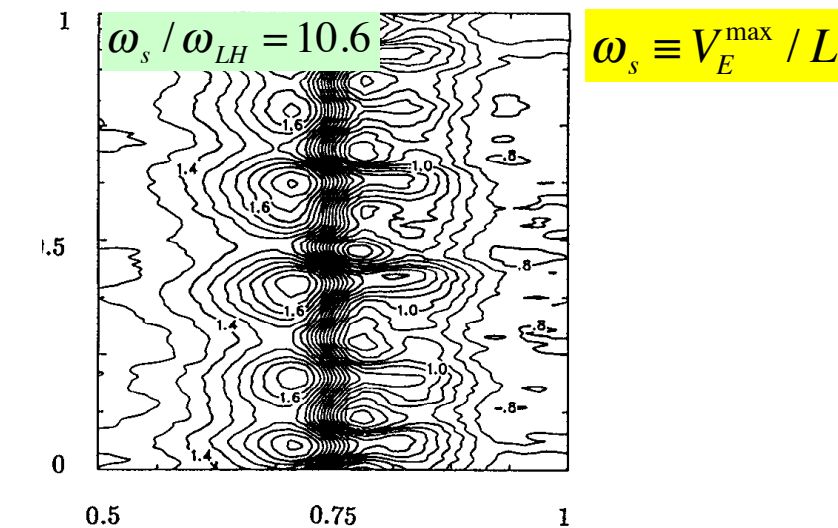
[DuBois et al, *PRL*, 2013; *JGR*, 2014]

2 1/2 D PIC simulation of EIH mode for  $\rho_e < L < \rho_i$

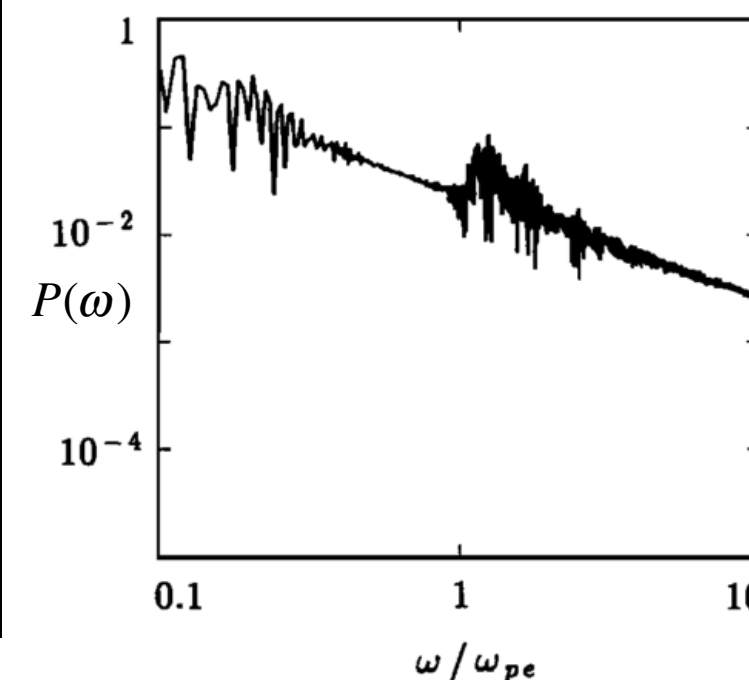
Relaxation of the initial flow



Contours of electrostatic potential

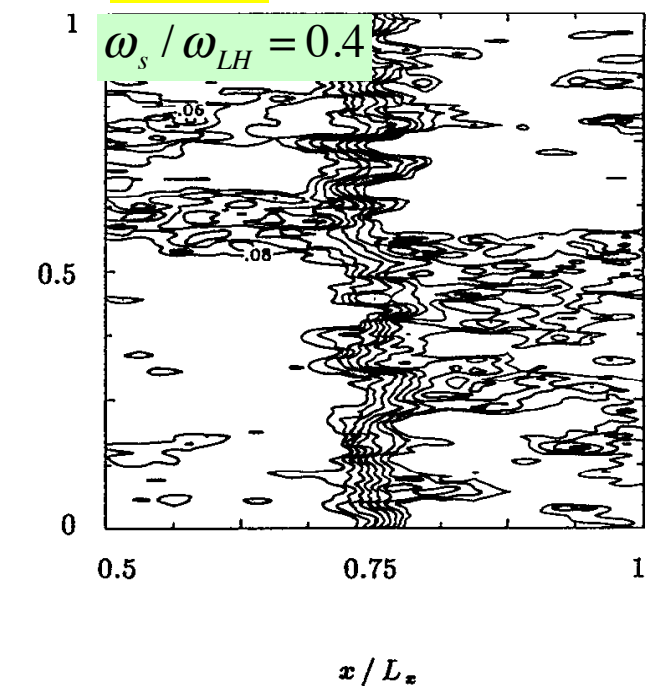


Broadband emission

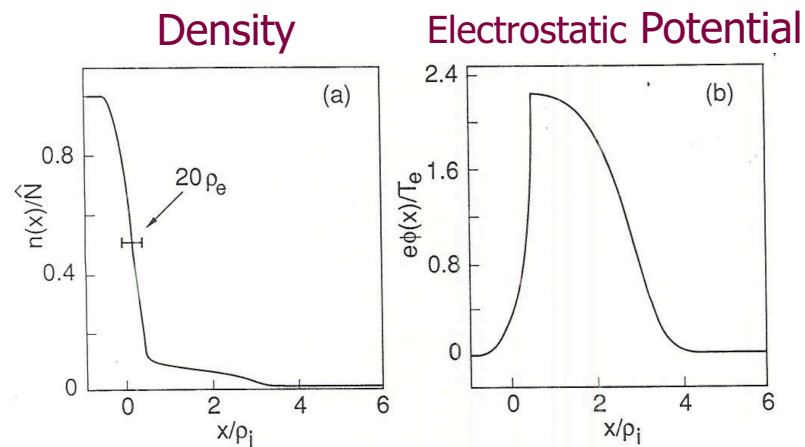
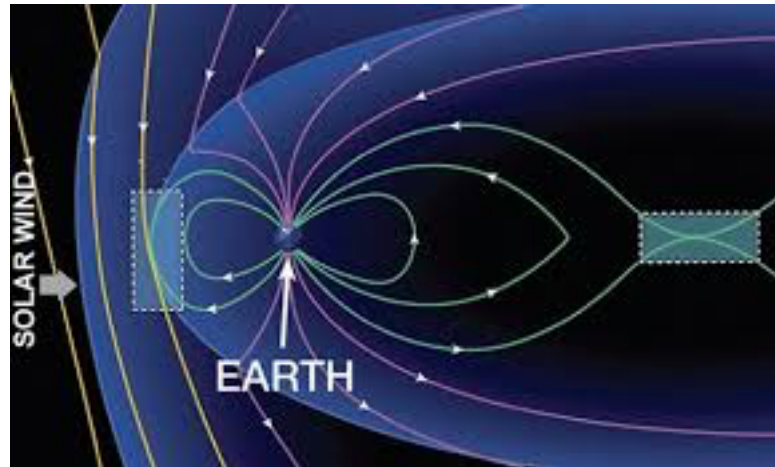


[Romero and Ganguli, *Phys. Fluids*, 1993; *GRL*, 1994]

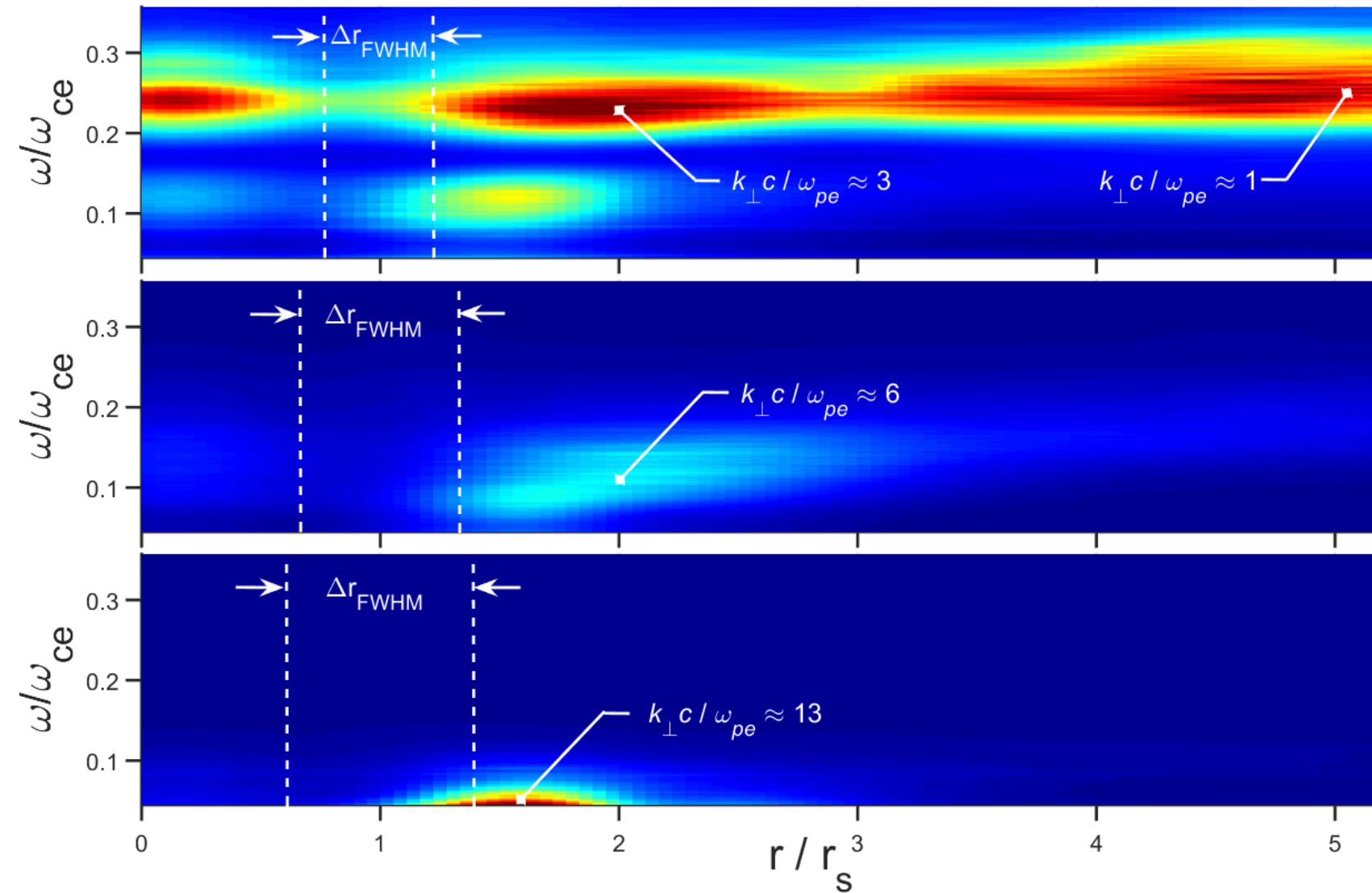
LHDI



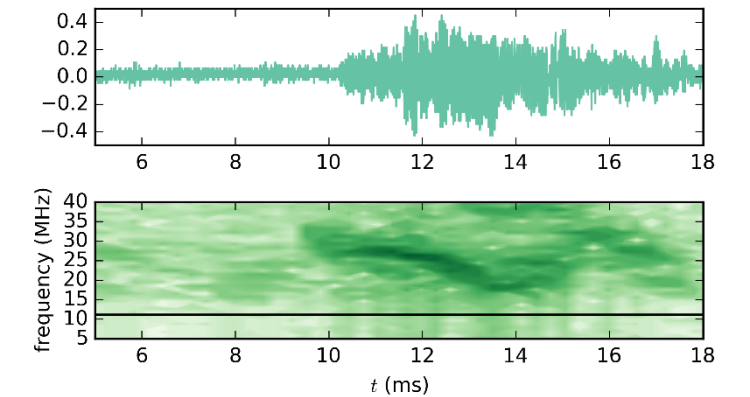
## Dipolarization



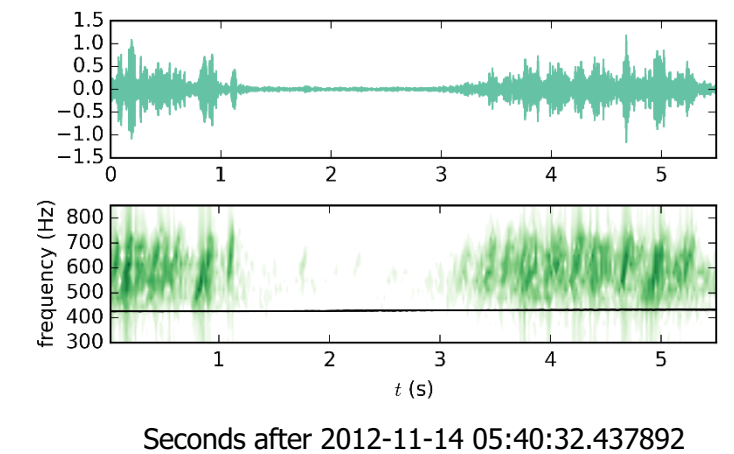
## NRL Experiment on Compressed Plasma Layer



## Laboratory Data from NRL Experiments



## EMFISIS Burst Mode Waveform Data from Van Allen Probes



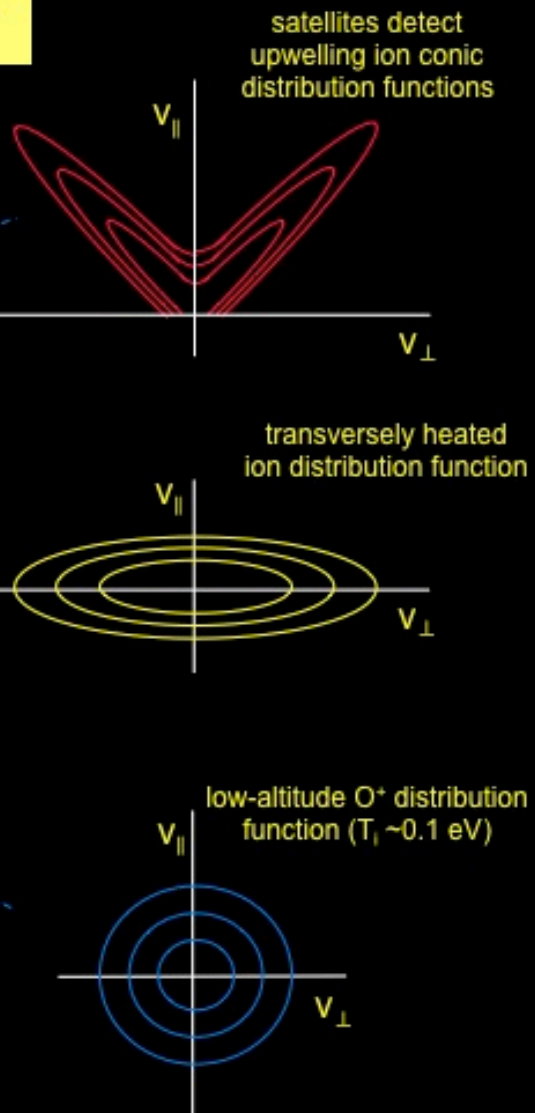
$$E_x = -ik_x \phi \left( 1 + \frac{\bar{k}_z^2}{\bar{k}_{\perp}^2} \right) \quad E_y = E_x \frac{i\omega}{\Omega_e \bar{k}^2} \quad E_z = -ik_z \phi \left( \frac{\bar{k}^2}{1 + \bar{k}^2} \right)$$

## Ionospheric Ion Heating and Outflow

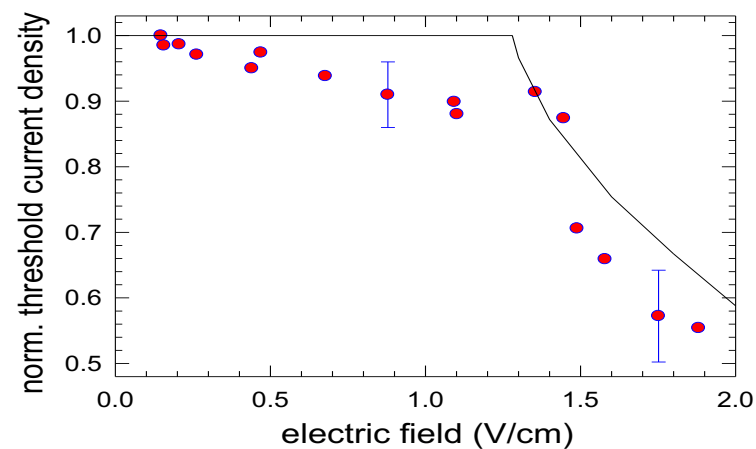
diverging geomagnetic field lines

mirror force causes heated ions to migrate higher altitudes

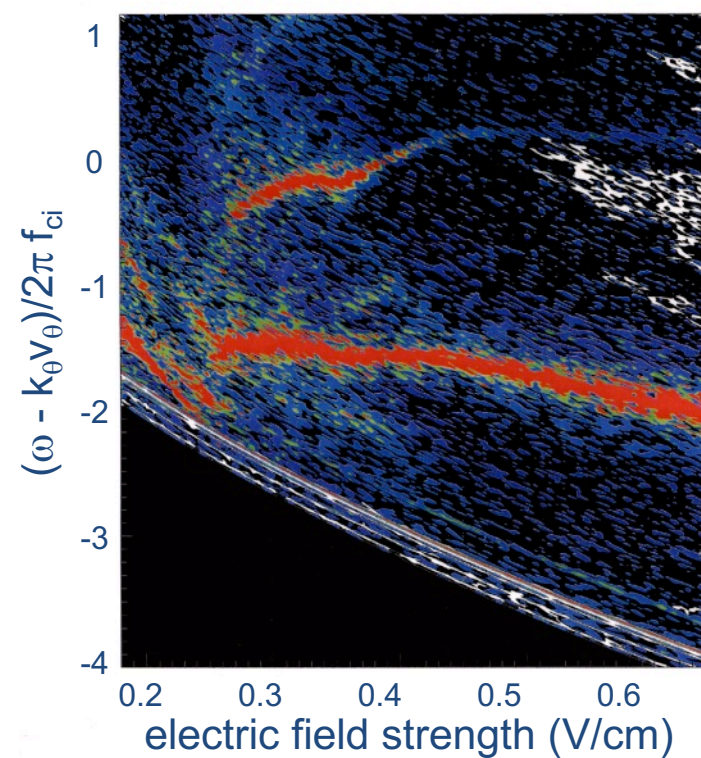
broadband, low-frequency electrostatic waves heat ions transverse to  $B$



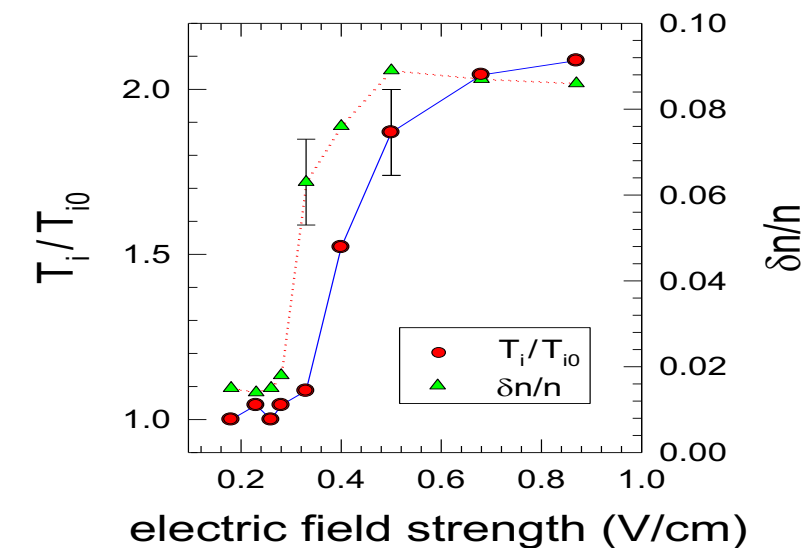
[Ganguli et al, *JGR*, 1994]



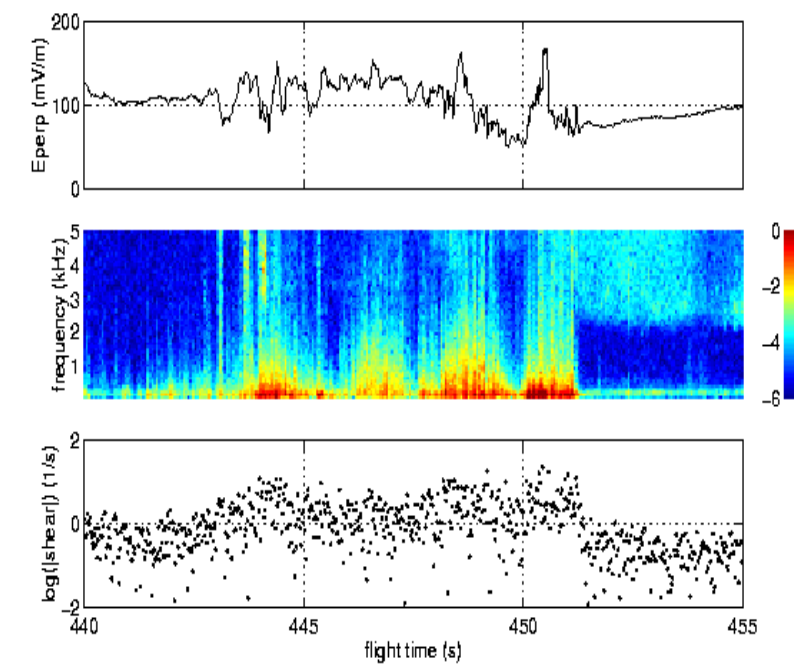
Amatucci et al., *GRL*, 1994



Good agreement with resonance condition



Walker et al., *GRL*, 1997,  
Amatucci et al., *JGR*, 1998



[FAST and POLAR data  
J. Bonnell, Ph.D. thesis, Cornell U, 1996]

# Physics of Multi-Ion Species Plasma

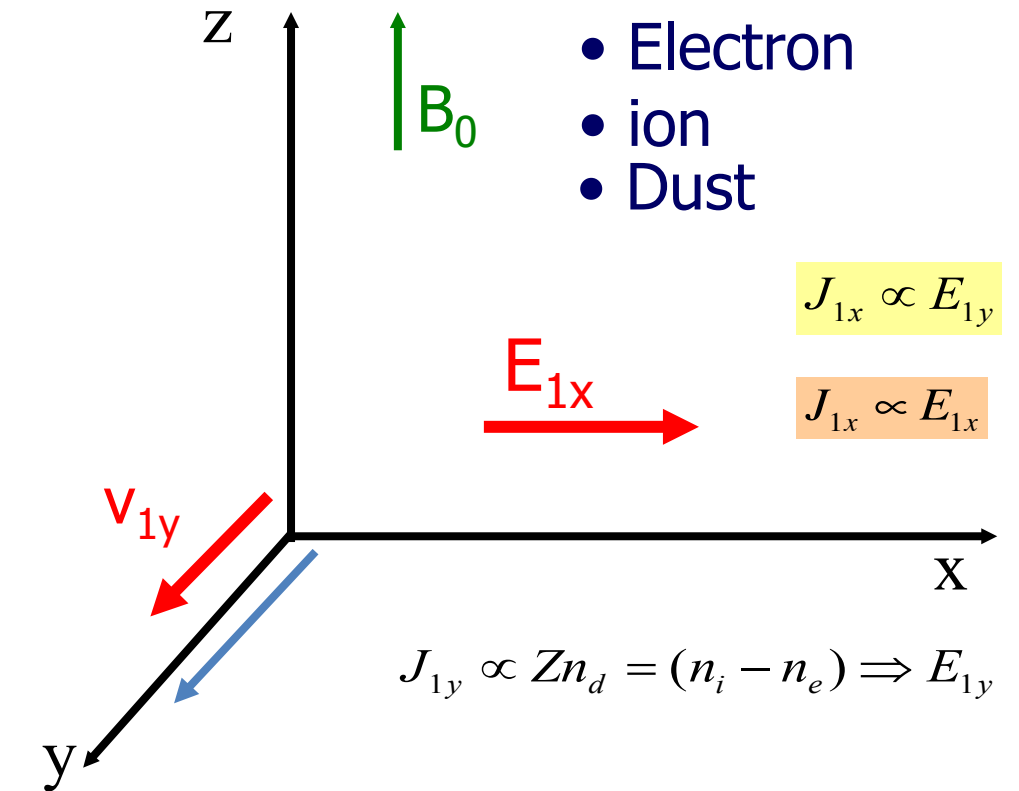
Since  $E_0 = 0$ ,  $J_0 = 0$ , Quasi-neutral plasma with  $k_z = k_y = 0$ ;

$$J_{1x} = -en_{0i} \frac{i\omega}{\Omega_i} \frac{cE_{1x}}{B_0} + Zen_{0d} \frac{cE_{1y}}{B_0}$$

$$\nabla \cdot J_1 = 0 \Rightarrow ik_x J_{1x} = 0$$

$$\frac{E_{1x}}{E_{1y}} = -i \left( \frac{Zn_{0d}}{n_{0i}} \right) \left( \frac{\Omega_i}{\omega} \right) = -i \left( \frac{n_{0e}}{n_{0i}} \right) \left( \frac{\Omega_r}{\omega} \right) \approx -i \left( \frac{\Omega_r}{\omega} \right)$$

$$\Omega_r = \frac{Zn_d}{n_e} \Omega_i$$



Near resonance ( $\omega \approx \Omega_\rho$ ):  $E_{1x} = -iE_{1y}$

- Important differences:

- only a mean fluid rotation
- $\omega \approx \Omega_\chi$  implies a wave resonance,  $k \rightarrow \infty$ , wave predominantly ES
- $\omega \approx \Omega_\rho$  implies a wave cut-off,  $k \rightarrow 0$ , wave predominantly EM

## Energy Density of the Rotation Waves

$$\mathcal{E}_w = \underbrace{\frac{\langle B_1^2 \rangle}{8\pi}}_{\text{field-energy}} + \underbrace{m_i n_i \frac{\langle v_1^2 \rangle}{2}}_{\text{kinetic-energy}} = \frac{\langle B_1^2 \rangle}{8\pi} \left( 1 + \frac{\omega^2}{\omega^2 - \Omega_{r0}^2} \right)$$

- Near ( $\omega \approx \Omega_r$ ) most of the wave energy is kinetic energy of light ion rotation
- Unlike classical 2-component MHD, the ions can possess a lot of energy
- A possible source of ion energization

## Ponderomotive force (for $k_y = k_z = 0$ )

$$\vec{F}_p = -\frac{\partial}{\partial x} \left( \frac{|\vec{B}_1|^2}{16\pi} \frac{\Omega_{r0}^2}{(\omega^2 - \Omega_{r0}^2)} \right) \hat{x} + k_x \frac{|\vec{B}_1|^2}{8\pi} \frac{\Omega_{r0}^2}{(\omega^2 - \Omega_{r0}^2)} \hat{y}$$

- Ponderomotive force can be magnified by the rotation resonance
- Ideal for 1-dimensional force balance

Since  $\Omega_r$  represents a cut-off the wave is not damped as  $\omega \rightarrow \Omega_r$



- Consider a 3-species (ion, Electron, and dust) plasma
- For short wavelength ( $kl_d \gg 1$ ) recover Alfvén and magnetosonic waves with minor frequency corrections

$$\omega = kV_A \left( 1 + \frac{1}{2k_x^2 l_d^2} \right)$$

Magnetosonic branch

$$\omega = k_z V_A \left( 1 - \frac{1}{2k_x^2 l_d^2} \right)$$

Alfvén branch

$$l_d = \frac{V_A}{\Omega_r}$$

Dust Hall Length

$$\Omega_r \approx \frac{Zn_d}{n_e} \Omega_i$$

New "Rotation" Frequency

- For long wavelength ( $kl_d \ll 1$ ) two new branches appear

$$\omega^2 = \Omega_r^2 + (k^2 + k_z^2) V_A^2$$

Alfvén-Magnetosonic Hybrid Wave  
Similar to Langmuir waves

$$k_z \approx 0 \rightarrow \omega^2 = \Omega_r^2 + k_{\perp}^2 V_A^2$$

$$\omega^2 = \omega_{pe}^2 + k^2 V_{th}^2$$

Langmuir wave

$$\omega^2 = k_z^2 (k_z^2 + k_x^2) V_A^4 / \Omega_r^2$$

Ion Whistler Wave

[Ganguli and Rudakov, *PRL*, 2004; Ganguli and Rudakov, *PoP*, 2005]

# Turbulence in Multi-Ion Species Plasma: Strong? Weak? Both? Composite?

## Strong turbulence? Similar to Langmuir turbulence

$$i \frac{\partial v_{1s}}{\partial t} = \delta\Omega v_{1s} - \frac{V_A^2}{2\Omega_r} \frac{\partial^2 v_{1s}}{\partial x^2}$$

$$\delta\Omega = \delta\left(\frac{ZeBn_d}{m_i c n_e}\right) = \Omega_r \frac{\delta n_d}{n_{d0}} = \Omega_r \frac{\delta B}{B_0}$$

$$i \frac{\partial v_{1s}}{\partial t} = -\Omega_r \frac{|v_{1s}|^2}{V_A^2} v_{1s} - \frac{V_A^2}{2\Omega_r} \frac{\partial^2 v_{1s}}{\partial x^2}$$

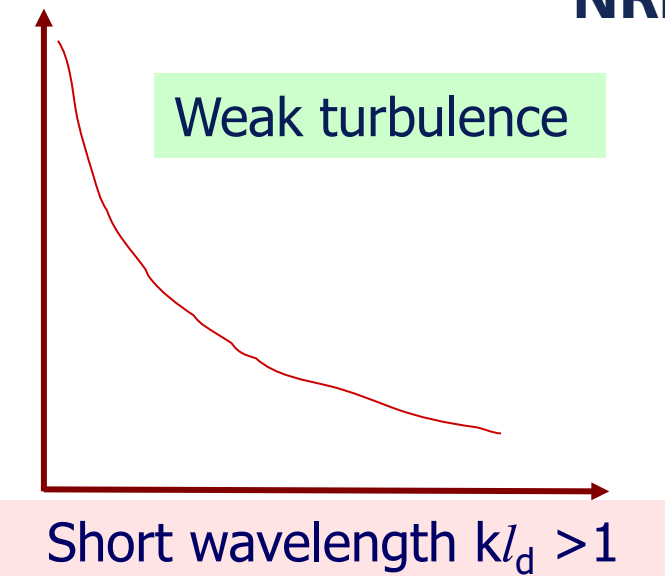
- Fast time-scale is  $\Omega_r$  ( $\equiv \omega_{pe}$ )
- Slow time-scale is dust  $kV_A$  ( $\equiv kc_s$ )
- Long time average:  $t \gg 1/\Omega_r, 1/\Omega_d$
- Nonlinear frequency shift,  $\delta\omega$ , due to ponderomotive force
- The nonlinear Schrodinger Equation
- Solutions: Solitons

Unlike Langmuir Waves no Dissipation as Wavelength Approaches  $l_d$

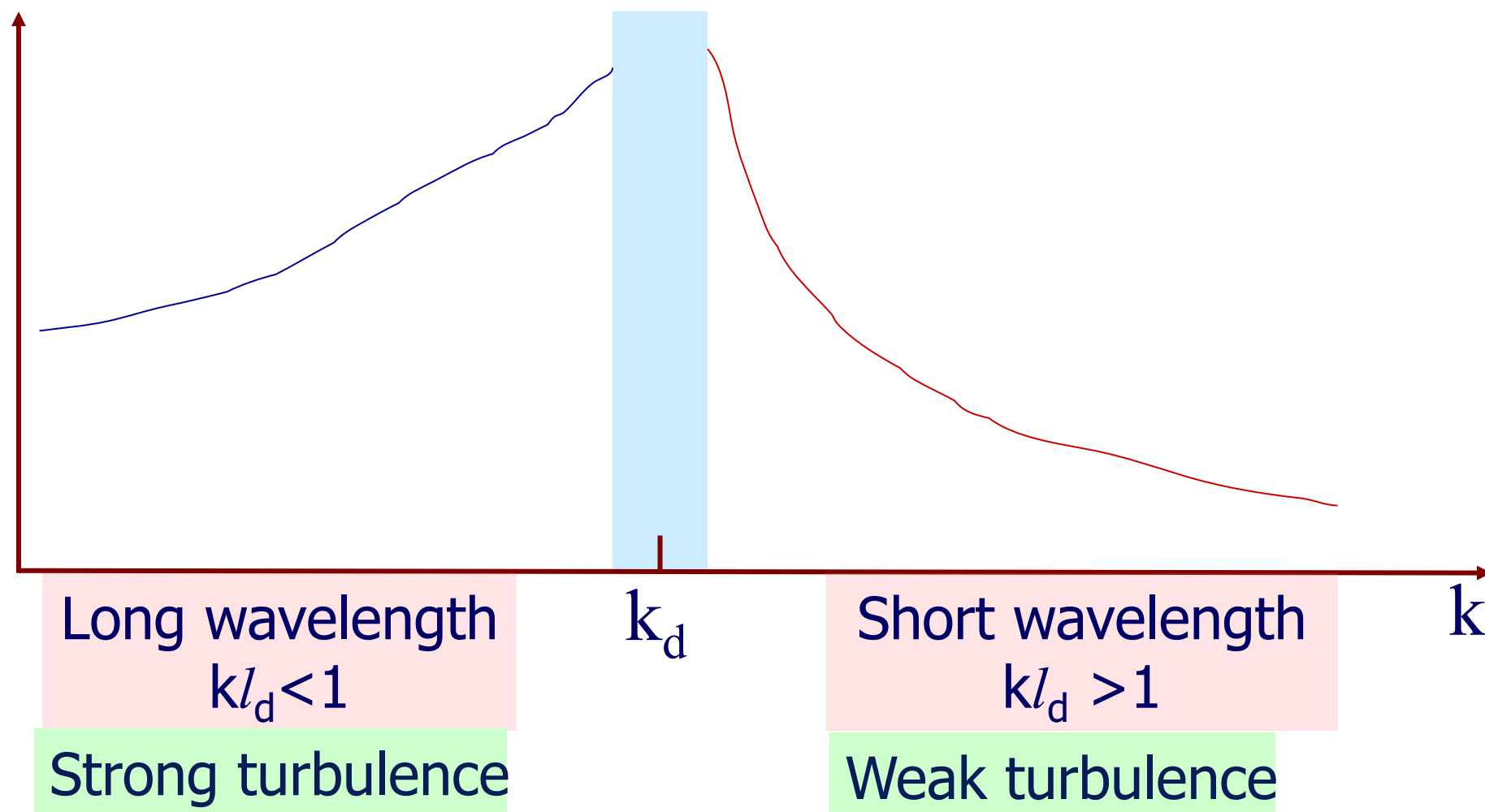
# Turbulence in Multi-Ion Species Plasma: Strong? Weak? Both? Composite?

**Weak turbulence?** Similar to Kolmogorov Cascade of Alfvén waves

$$(\omega^2 = \Omega_r^2 + k_x^2 V_A^2) \rightarrow \omega = k_z V_A \left(1 - 1/2 k_x^2 l_d^2\right) \quad \text{and} \quad \omega = k V_A \left(1 + 1/2 k_x^2 l_d^2\right)$$



**Both? Composite?**



- Strong turbulence dominates for  $k \ll k_d$  but breaks down for  $k \approx k_d$
- Collapse towards  $k_d$  pumps weak turbulence for  $k \gg k_d$
- Peak in energy density at  $k_d$
- Typical structure scale size  $\sim l_d$

$$k_d = l_d^{-1} = \Omega_r / V_A \quad \Omega_r \approx \frac{Z n_d}{n_e} \Omega_i$$



Artist Rendition Based on Observations

## Molecular Clouds

This cloud of gas and dust is being deleted. Likely, within a few million years, the intense light from bright stars will have boiled it away completely. The cloud has broken off of part of the Carina Nebula, a star forming region about 8000 light years away. CREDIT: Hubble Heritage Team (STScI/AURA), N. Walborn (STScI) & R. Barb  (La Plata Obs.), NASA.

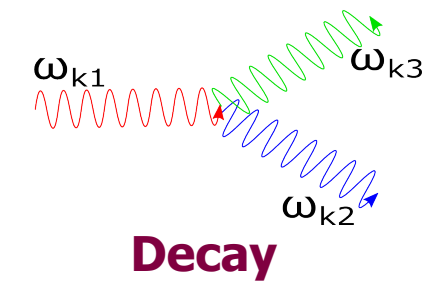
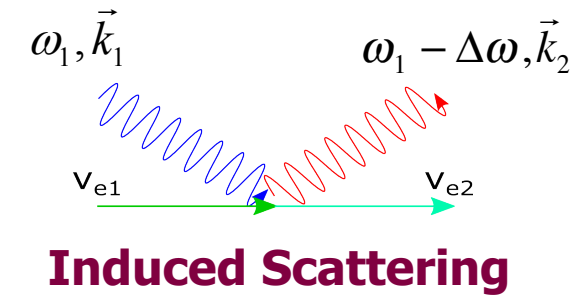
- $kV_A \sim \Omega_r$  defines structure (filament) scale size
- $l_d \sim V_A / \Omega_r \sim (c / \omega_{pi})(n_e / Zn_d)(n_i / n_e)^{1/2}$
- $n_e \sim 10^{-3} \text{cc}, n_d \sim 10^{-8} \text{cc}, c / \omega_{pi} \sim 10^9 \text{cms}$
- $l_d \sim 10^{14} \text{cms} \sim 10 \text{AU}$

[Ganguli and Rudakov, *PRL*, 2004; Ganguli and Rudakov, *PoP*, 2005]

Astrophysical Turbulence and Transport: Kolmogorov Type Cascade and/or Strong Turbulence?

In 1D case there is no collapse

- Repeated scatterings of rotation waves leads to longer wavelengths
  - Dispersion progressively vanishes
  - Reminiscent of Bose-Einstein Condensation (BEC)
    - The rotation frequency represents the ground state



$$(\omega^2 = \Omega_r^2 + k_x^2 V_A^2) \Rightarrow (\omega^2 \approx \Omega_r^2)$$

- Condensates are long-lived structures
  - Condensate scale size  $L \gg l_d$

# Conclusions

- Many inherent problems with in-situ measurements can be addressed through laboratory experiments
  - Space-time ambiguity
  - Unsteady plasma
- Provide complete characterization of a physical process
  - Repeated measurements possible in laboratory
- Laboratory experiments of triggered emission at NRL have led to a more comprehensive analysis of NASA/Van Allen Probe chorus data to show
  - Stepwise nature, presence of multiple waves, 3D wave propagation, signatures of induced scatterings, etc.
- Led to deeper understanding of the cause and effects of transverse electric fields
  - New class of broadband waves were found correlated with plasma compression which clarified unexplained auroral observations
  - This knowledge is now being used to understand the plasma dynamics of compressed layers, e.g., dipolarization fronts